

# 属性グラフ文法によるビジネス文書の定式化

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ビジネス文書の定式化は、電子商取引や電子政府などの進展に伴って重要な課題になっている。本論文では、代表的なビジネス文書の1つである財務諸表に対して、グラフ文法により計算範囲の柔軟な指定も可能とする定式化を行うことを目的とする。財務諸表の定式化のためには、項目の順序や項目の数を規定する事と、小計などの計算方法を規定する事が必要である。そのため、財務諸表の項目の順序や数の規定を可能とする文脈依存グラフ文法を構築し、そのグラフ文法に計算方法を規定するための属性を付け加える。

## A Formalization of Business Documents by an Attribute Graph Grammar

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The formalization of business documents has become an important subject with the progress of e-commerce and e-government. In this paper, we formalize the structure of financial statement, which is a sort of business document, by using graph grammar. To formalize financial statements, we specify the order and the number of items that appear and calculation methods. Therefore, we propose a context-sensitive graph grammar which enables the specification of the order and the number of items to formalize financial statements. We also append attributes to the context-sensitive graph grammar to specify calculation methods.

### 1 Introduction

The formalization of business documents has become an important subject with the progress of e-commerce and e-government. Recently, business documents have been formalized by XBRL (eXtensible Business Reporting Language) [8]. However, in the past formalizations including XBRL, specifying the range of calculations such as subtotal and average by course of columns and rows are difficult. Moreover, table calculation is implemented in a fourth generation languages, e.g., Excel, however, verification of the order and the number of items (cf. [3]) and a flexible specifications of the range of the calculations are disable.

To cope with these problems, we use a Context-Sensitive Graph Grammar (CSGG for short). More precisely, production rules in the CSGG enable verification by locally changing the graph representation of tables, and moreover, we can also use the function of automatic table calculation by adding semantic rules specifying calculation methods for attribute-values to production rules.

In this paper, we formalize the structure of financial statement, which is a sort of business document, by using CSGG, and our formalization enables us to specify the ranges of calculations with no restriction

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(cf. [5]). To do so, we first propose a CSGG which provides the order and the number of items in homogeneous parts of financial statements. Secondly, we define an attribute graph grammar by adding semantic rules to the production rules of the CSGG.

### 2 Preliminary : Graph Representation of Financial Statements

Applications of CSGG have been developed by several authors, e.g., [6], [7], [9]. In particular, Arita et al [9] construct a CSGG characterising and generating two-dimensional grid graphs. we modify the definition of the CSGG in [9] to formalize financial statement in Sect. 3. To formulate CSGG, we employ the notion of marked graph whose definition is as follows.

**Definition 2.1** A *marked graph* is a system  $(K, R, k, r)$ , where  $K$  is a finite set of nodes,  $K \neq \emptyset$ ,  $R \subset K \times K$ ,  $k : K \rightarrow V$  a mapping for marking the nodes,  $r : R \rightarrow M$  a mapping for labeling the edges.  $\square$

Moreover, we also use the equivalence of marked graph defined by

**Definition 2.2** Two marked graphs  $G_i = (K_i, R_i, k_i, r_i)$ ,  $i \in \{1, 2\}$  are *equal* iff there exists a bijection  $f : K_1 \rightarrow K_2$  such that  $f$  yields a bijection of  $R_1$  to  $R_2$ , every  $a \in K_1$  has the same label as  $f(a) \in K_2$  and vice versa, and every  $(u, v) \in R_1$  has the same label as  $(f(u), f(v))$  and vice versa.  $\square$

Now, as in [6], we formalize graphs representing the homogeneous parts in financial statements such

as Fig. 1. To do so, the homogeneous parts will be first expressed as graphs. Fig. 2 and Fig. 3 are a typical example of a financial statement and its graph representation, respectively. Each node in Fig. 3 corresponds to each cell of the financial statement in Fig. 2, and marks of nodes stand for items in the financial statement. Marks with prime, e.g.,  $DO'$ , are given to items for numerical data and marks with double prime, e.g.,  $DO''$ , are given to items for the results of calculations. Moreover, the label  $lf$  of an edge  $(a, b)$  means that the two cells corresponding to the nodes  $a$  and  $b$  are horizontally adjacent to each other, and the edge label  $ov$  similarly means the vertical adjacency of the two cells.

	2002	2003	change
Domestic Operations			
Overseas Operations			
Sub total			⋮
Domestic Operations			
Overseas Operations			
Sub total			
...			

Figure 1: a homogeneous part of the financial statement

	2002	2003	change
Domestic Operations			
Overseas Operations			
Sub total			
Domestic Operations			
Overseas Operations			
Sub total			

Figure 2: a part of financial statement

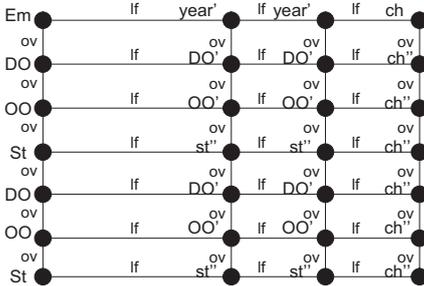


Figure 3: a graph expression of Fig.2

### 3 Graph Grammar of Homogeneous Part of Financial Statements

Formalizing financial statements in context free graph grammars [1] that change one node is difficult because relationships among items in financial

statements are complicated. Moreover, the frames of homogeneous parts in financial statements can be expressed by two-dimensional grid graphs, but it is proved that there exists a grid graph  $G$  such that  $G$  cannot be generated by using NLC grammars, which is a sort of context-free graph grammar (see [2]). Therefore, we employ the notion of CSGG to formalize financial statements. The production rules transform a marked graph (not a node) into a marked graph. We define a CSGG by modifying the definition of the CSGG [9] as follows.

**Definition 3.1** A context-sensitive production is a tuple  $p = (A, H, p^c)$ , where  $A = (K_a, R_a, k_a, r_a)$  and  $H = (K_h, R_h, k_h, r_h)$  are nonempty connected marked graphs (cf. [7]),  $p^c : (M, N \cup T) \rightarrow K_h$ ,  $M$  is the set of all labels for edges, and  $N$  and  $T$  denote the set of nonterminal symbols, respectively, such that  $|K_a| \leq |K_h|$ .  $\square$

**Definition 3.2** For marked graphs  $G = (K, R, k, r)$  and  $G' = (K', R', k', r')$  the relationship  $G \xrightarrow{p} G'$  holds for  $p = (A, H, p^c)$  with  $H = (K_h, R_h, k_h, r_h)$  iff  $G$  is blown up to  $G'$  by replacing graph  $A$  in  $G$  by  $H$  and replacing the edges connected to  $A$  according to  $p^c$ , i.e.,

- (i) there exists a graph with  $A = (K_a, R_a, k_a, r_a)$ ,
- (ii)  $K' = (K - K_a) \cup K_h$ ,
- (iii)  $k'(a) = k(a)$  if  $a \in (K - K_a)$ ;  $k'(a) = k_h(a)$  if  $a \in K_h$ ,
- (iv)  $R' = R - \{(a, i) \mid i \in K_a\} - \{(i, j) \mid i, j \in K_a\} \cup R_h \cup \{(a, x) \mid i \in K_a, \bigvee_{(a,i) \in R} k(i) = m, r((a, i)) = l \text{ and } p^c(l, m) = x \in K_h\}$ ,
- (v)  $r'((a, b)) = r((a, b))$  if  $(a, b) \in R$ ;  $r'((a, b)) = r_h((a, b))$  if  $(a, b) \in R_h$ ,  $m \in M$  for all edges between  $H$  and the rest of  $G$  which are inherited from an edge in  $G$  labeled by  $m$ .  $\square$

**Definition 3.3** A CSGG is a system  $GG_F = (N_F, T_F, M_F, P_F, S_F)$ , where  $N_F$  is the set of non-terminal symbols,  $T_F$  is the set of terminal symbols,  $M_F$  is a finite set of labels for the edges,  $P_F$  is a finite set of context sensitive productions  $p = (A, H, p^c)$ , and  $S_F \in N_F$  is the startsymbol, i.e., the startgraph for  $GG_F$ .  $\square$

We denote by  $\xrightarrow{*}$  the reflexive and transitive closure of the symbol  $\Rightarrow$ . Graph  $G'$  is said to be derived by the graph grammar  $GG$  if  $G \xrightarrow{GG} G'$  ( $GG$  and  $*$  can be omitted). We define a (context-sensitive) graph language  $L(GG) = \{G \mid S \xrightarrow{GG} G\}$  as in the string grammar.

Next, we define a graph grammar equivalent to a homogeneous part of financial statements as follows.

**Grammar 3.4** A financial statement CSGG is a system  $GG_{F1} = (N_{F1}, T_{F1}, M_{F1}, P_{F1}, S_{F1})$ , where  $N_{F1} = \{S, A, B, C, D, E, F, G, H, I, J, K, L, N, P, Q, R\}$ ,  $T_{F1} = \{DO, OO, St, DO', OO', St', year', ch, ch', Em\}$ ,  $M_{F1} = \{\textcircled{1}, \dots, \textcircled{13}, lf, ov\}$ , and  $S_{F1} = S$ .  $P_{F1}$  is shown in Appendix 1.  $\square$

The terminal label  $DO$  stands for "Domestic Operations",  $OO$  for "Overseas Operations",  $St$  for "Sub total",  $ch$  for "change", and  $Em$  for an empty cell.

In Fig. 4, we show a couple of the production rules. Each production rule replaces a marked graph on the left-hand side of the arrow by a marked graph on the right-hand side of the arrow. Each dashed line denotes an edge  $(a, b)$  between a node  $a \in K_a$  (resp.,  $a \in K_h$ ) and a node  $b \notin K_a$  (resp.,  $b \notin K_h$ ) adjacent to  $K_a$  (resp.,  $K_h$ ). For example, the production rule p2 makes the edges labeled  $\textcircled{1}$ ,  $\textcircled{2}$ ,  $\textcircled{3}$ ,  $\textcircled{4}$ , which linked to the node marked with  $A$ , link to the node marked with  $B$ .

Furthermore, labels including such, e.g., label1/label2 mean that the edge is first labeled label1, and the label is replaced by label2 after applying a production rule. Applications of production rules can be shown as in Fig. 5.

Here we give two remarks on the correspondence from  $L(GG_F)$  into financial statements.

**Remark 1** If  $T$  is derived by the grammar  $GG_{F1}$ , then  $T$  is a financial statement as shown in Fig. 2.

**Remark 2** If  $T$  is a financial statement as shown in Fig. 2, then derivation of  $T$  by  $GG_{F1}$  is unique. Indeed, p15 and p16 transmit symbol  $D$  from right to left, and the p36 and p37 also do so as in the case of p15 and p16.

The detail of proofs for the claims in the two remarks above is left to the forthcoming papers.

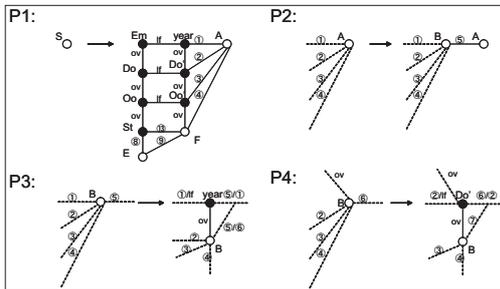


Figure 4: A part of productions in  $GG_F$

## 4 Attribute Graph Grammar[4]

In this section, we define semantic rules and correspond them to the production rules for the CSGG  $GG_{F1}$ .

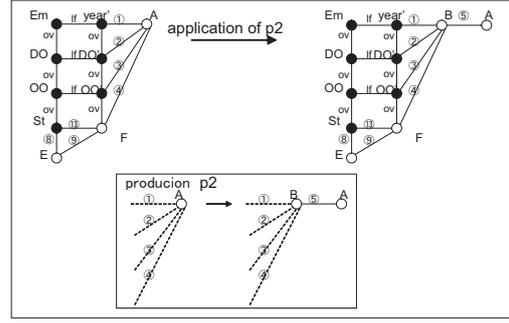


Figure 5: Example of application of productions in  $GG_F$

### 4.1 Attribute Graph Grammar for Financial Statements

**Definition4.1** A context-sensitive attribute graph grammar is a tuple  $AGG_{F1} = \langle GG_{F1}, \mathcal{A}, F \rangle$ , where

- $GG_{F1} = (N_{F1}, T_{F1}, M_{F1}, P_{F1}, S_{F1})$  defined in grammar 3.3 is called basic CSGG of  $AGG_{F1}$ .

- For  $x \in N_{F1} \cup T_{F1}$ , let  $\mathcal{I}(x)$  be the set of inherit attributes and let  $\mathcal{S}(x)$  be the set of synthesise attributes. Let  $\mathcal{I} = \bigcup_{x \in V_{F1} \cup T_{F1}} \mathcal{I}(x)$  and

$$\mathcal{S} = \bigcup_{x \in V_{F1} \cup T_{F1}} \mathcal{S}(x). \text{ Let } \mathcal{A}(x) = \mathcal{I}(x) \cup \mathcal{S}(x).$$

Let  $\mathcal{A} = \bigcup_{x \in V_{F1} \cup T_{F1}} \mathcal{A}(x)$  be an attribute set of  $AGG_{F1}$ . Moreover,  $a(x)$  stands for an attribute  $a$  of  $x$  and  $\mathcal{V}(a)$  stands for a set of values that  $a$  holds.

- Each production rule  $p_i = (A_i, H_i, p_i^c)$  in  $P_{F1}$  has semantic rule sequence  $s_i$ .  $s_i$  defines attribute of  $\bigcup_{x \in V(A_i)} \mathcal{S}(x) \cup \bigcup_{x \in V(H_i)} \mathcal{I}(x)$ . Set  $F = \bigcup s_i$  are called semantic rule set.

- $\mathcal{I} = \{\text{row, col, basisSt, basisDO, basisOO, sum, value, valueDO}\}$ ,  $\mathcal{S} = \{\}$   $\square$

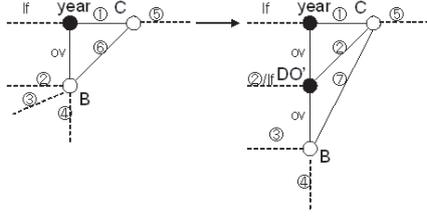
### 4.2 Application of Semantic Rules

Semantic rules are the sets of the functions of attribute values. Moreover, we add the following functions to our attribute graph grammar to access input data of tables.

#### Function

- get\_value(c)** returns the value which inputted in the cell  $c$ .
- inherit(a, b)** hands over all values of inherit attribute of the cell  $a$  have to the cell  $b$ .

p5:



$inherit(B_1, DO')$   
 $value(DO') = get\_value(DO')$   
 $basisDO(DO') = basisDO(B_1)$   
 $sum(DO') = value(DO')$   
 $row(B_2) = row(B_1) + 1, col(B_2) = row(B_1),$   
 $sum(B_2) = value(B_2) + sum(DO')$

Figure 6: Production rule  $p_5$  and its semantic rules

### 4.3 Semantic Rules of $AGG_{F1}$ and its Application

We show a production rule  $p_5$  and the corresponding semantic rule in Fig. 6, where  $attr(node)$  denotes the value of the attribute "attr" of the node marked with  $node$ . In case there are the "samelabel" in both side, we write the label of left side by "samelabel1", and right by "samelabel2".

### 4.4 Application of an Attribute Graph Grammar

We consider that the way to apply this attribute graph grammar at generation support of financial statements.

#### 4.4.1 Generation of Table Format and Automatic Table Calculation

The grammars are equivalent to the generation system of table format. For example, when "Term" "Number of Department", and other values are given as parameter to  $GG_{F1}$  it generates a table format in which each cell has appropriate attributes, for the parameters. When a user fills values in the cells, values of "subtotal" and "rate of increase" are calculated automatically and written in right cells.

## 5 Conclusion

In this paper, we converted a homogeneous part of a financial statement to graph, and constructed a graph grammar which produces its graph. This grammar is CSGG and have 38 productions. Moreover, we append attributes on grammar, so we can produce financial statements that have each attribute in each cell. Result, we can add new functions as table calculation and verification on graph grammar that produced the framework of table only.

As future works, we will convert financial statement include a heterogeneous part to graph and construct a CSGG which produces its graph. Moreover, For a graph grammar include a heterogeneous part of a financial statement, we will append attributes.

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