

## Rate-Based Flow Control Model in Group Communication

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The transmission speed of the high-speed network is faster than the processing speed of the process. The process loses messages if the messages arrive at the process faster than the processing speed. In addition, a group of the processes have to be cooperated by exchanging multimedia messages in the high-speed network. Here, each process not only sends messages to multiple processes but also receives messages from multiple processes in the group. In the group communication, every process  $p_i$  is required to receive all the messages in some order like the causal one. In this paper, we discuss how to allocate the transmission speed to the processes in the group so as to satisfy the quality of service (QoS) required.

### グループ通信における送信率割り当て方式

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Gbps の伝送速度を持つ高速通信網では、メッセージの伝送時間は伝搬遅延時間よりも小さく、通信網の伝送速度は送信プロセスの処理速度よりも大きい。このため、メッセージの送信間隔がある一定時間以下であると、バッファオーバーランが起り、スループットが低下する。バッファオーバーランを防ぐために、プロセス間でのメッセージの送信率を制御する必要がある。また、マルチメディアデータの転送では、各プロセスが各メディア毎に割り当てたい送信率が異なり、このための制御が複雑なものとなる。テレビ会議等の応用では、複数のプロセスがグループを作り、グループ内のプロセスが互いにメッセージ通信を行なっている。これまでに、1対1または同報型の送信率制御方式について論じられてきたが、グループでの送信率制御は論じられていない。本論文では、グループ内の各プロセスが要求する送信率に対して、グループとして最適な送信率を割り当てるための手法を提案する。

## 1 Introduction

High-speed communication networks like ATM networks [5] and gigabit local area networks [7] have been available now. Distributed applications are realized by the cooperation of multiple processes  $p_1, \dots, p_n$  interconnected by the high-speed communication networks. The transmission speed of the network is faster than the processing speed of the process  $p_i$ .  $p_i$  loses messages if the messages arrive at  $p_i$  faster than the processing speed of  $p_i$ . Kinds of high-speed communication protocols like XTP [3], VMTP [2], NETBLT [4], RTP [13], RTCP [13], and RSVP [18] are discussed so far. In these protocols, each process is assumed to send messages to one process or a group of multiple processes. In the one-to-one communication, the papers [2-4] discuss how to adjust the transmission rate of the sender so that the receivers could receive all the messages sent by the sender. In the multicast communication [2], only one sender sends messages to a group of multiple processes like a collection of replicated servers.

In distributed applications like groupware [6], a group  $G$  of multiple processes  $p_1, \dots, p_n$  are cooperated to achieve some objective by exchanging messages. Here, each process  $p_i$  not only sends messages to multiple processes but also receives messages from multiple processes in  $G$  while one sender sends messages to one or more than one process in the one-to-one and multicast communication. In the group communication, every

process  $p_i$  is required to receive all the messages sent to  $p_i$  in  $G$  in some receipt order. Many papers [1, 9, 12, 15, 17] discuss kinds of group communication protocols which support a collection of multiple processes with the causally [1, 8] or totally ordered delivery of messages. Nakamura and Takizawa [11] discuss how to decide the transmission rates of the processes interconnected by a high-speed broadcast channel in the group so that the total transmission rate of the channel can be fairly shared by every process in  $G$ . However, only a single stream is transmitted by each process in the group and there is no relation among the streams.

In the multimedia applications, the processes exchange multiple multimedia streams like voice and image streams in  $G$ . The streams are required to be delivered to the destinations with some *quality of service* (QoS). For example, a voice stream has to be delivered in some time constraint even if the some data, i.e. frames are lost. In addition to supporting each stream with some QoS, there is some constraint on the QoS among the streams. For example, the transmissions of like voice and image streams have to be synchronized, e.g. two streams are transmitted and received at the same rate. It is critical for every process to be able to receive multiple streams of messages sent by multiple processes so as to satisfy the QoS constraints on the streams, e.g. transmissions of multiple streams are synchronized, and to

increase the throughput of the system. In this paper, we present a general model where each process sends and receives multiple streams to and from multiple processes, which are interrelated in  $G$ . We discuss how to allocate the transmission rates to the processes in  $G$  so that the constraints and requirements on the streams are satisfied.

In section 2, we present the system model. In section 3, we discuss how to control the transmission rates of the processes in the group. In section 4, we present the implementation.

## 2 System Model

A distributed application is realized by the cooperation of multiple processes  $p_1, \dots, p_n$ . A group  $G$  is a collection of  $p_1, \dots, p_n$ , i.e.  $G = \{p_1, \dots, p_n\}$ . First,  $G$  is established among  $p_1, \dots, p_n$ . Then, the processes exchange messages with only the processes in  $G$ , respectively. Messages can be delivered in the same causal order as received in  $G$  [1, 9, 12, 15, 17]. In this paper, we assume that the processes are interconnected by the high-speed point-to-point channels.  $G$  is logically considered to support every pair of processes  $p_i$  and  $p_j$  with a reliable, bidirectional logical communication channel  $\langle p_i, p_j \rangle$  [Figure 1].  $p_i$  and  $p_j$  can exchange messages through the channel  $\langle p_i, p_j \rangle$ .  $p_i$  and  $p_j$  can reliably deliver messages to one another in the sending order, i.e. FIFO order without any message loss by using the channel  $\langle p_i, p_j \rangle$ . We first assume that every pair of channels  $\langle p_i, p_j \rangle$  and  $\langle p_h, p_l \rangle$  are independent. That is, the transmission rate of  $\langle p_i, p_j \rangle$  is independent of how congested  $\langle p_h, p_l \rangle$  is. If multiple processes share one physical channel like the Ethernet, multiple logical channels are not independent. In order to make the discussion simple, we first make the assumption. Then, we extend the discussion to more general cases where the channels are dependent on others.

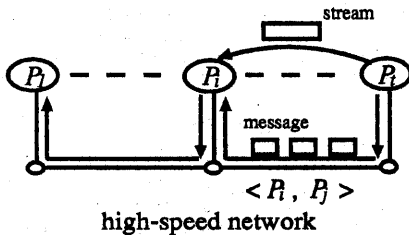


Figure 1: System configuration.

Each channel  $\langle p_i, p_j \rangle$  in addition supports  $p_i$  and  $p_j$  with the high-speed data transmission of messages. The transmission speed of the channel  $\langle p_i, p_j \rangle$  is faster than the processing speed of  $p_i$  or  $p_j$ .  $p_j$  loses messages due to the buffer overrun if the messages arrive at  $p_j$  from  $p_i$  faster than  $p_j$  could receive even if the channel  $\langle p_i, p_j \rangle$  itself is reliable. Hence,  $p_i$  has to transmit messages to  $p_j$  at such a fast rate that  $p_j$  can receive all the messages without the overrun. This is the rate-based flow control [3, 2, 4].

Each process  $p_i$  sends data to other processes in the group  $G$ . A unit of data exchanged between the processes is referred to as a *stream*. For example, suppose that four processes  $p_i, p_j, p_k$ , and  $p_h$  communicate with each other. Here, suppose that  $p_i$  sends two streams, i.e. video stream  $V_i$  and image stream  $I_i$  to  $p_j$  and  $p_k$  in  $G$ .  $p_j$  sends a voice stream  $V_j$  to  $p_i$  and  $p_h$ .  $p_k$  sends a voice stream  $V_k$  to  $p_j$ . Here,  $p_j$  receives  $V_i$  and  $I_i$  from  $p_i$  and  $V_k$  from  $p_k$  while sending  $V_j$  to  $p_i$  and  $p_h$ . Thus, each process  $p_i$  not only sends but also receives one or more than one stream to and from other processes in  $G$ . In addition, some streams may be related in applications. For example,  $p_j$  is required to receive  $I_i$  from  $p_i$  and  $V_k$  from  $p_k$  at the same rate. That is, the transmissions of  $I_i$  and  $V_k$  are required to be synchronized.

A *message* is a unit of data transmitted in the network.  $p_i$  decomposes a stream issued by the application process to a sequence of smaller messages [Figure 1].  $p_i$  sends messages decomposed from the streams to the network.  $p_i$  constructs the streams from the messages received in the network and then delivers the streams to the applications.

## 3 Transmission and Receipt Rates

### 3.1 Message rates

Each logical channel  $\langle p_i, p_j \rangle$  in the network supports  $p_i$  and  $p_j$  with the high-speed transmission of messages. Here, the transmission speed of the channel is faster than the receipt speed of the process. Each process  $p_i$  in the group  $G$  receives messages if the messages arrive at  $p_i$  at a slower rate than  $p_i$  could receive. Here, let  $\max RR_i(t)$  be a maximum receipt rate of  $p_i$  at time  $t$ . We assume that  $\max RR_i(t)$  is an invariant constant  $\max RR_i$ .  $p_i$  can receive at most  $\max RR_i$  messages per a time unit. Let  $RR_i(t)$  be a receipt rate of  $p_i$  at time  $t$ , i.e. how many messages  $p_i$  receives per a time unit at  $t$ . That is,  $p_i$  receives  $RR_i(t)$  messages per a time unit at  $t$ . Here,  $RR_i(t) \leq \max RR_i$ .

$p_i$  sends messages to the processes  $p_1, \dots, p_n$  in  $G$ .  $TR_i(t)$  denotes a transmission rate of  $p_i$  at time  $t$ . That is,  $p_i$  sends  $TR_i(t)$  messages per a time unit at  $t$ . Let  $\max TR_i$  be a maximum transmission rate of  $p_i$  which is time-invariant. Each message is destined to the destination processes, not necessarily all the processes in  $G$ .  $p_i$  sends  $TR_{ij}(t)$  messages among  $TR_i(t)$  messages to each  $p_j$  at  $t$  ( $j = 1, \dots, n$ ). If  $p_i$  sends no message to  $p_j$ ,  $TR_{ij}(t)$  is 0. Thus,  $TR_i(t)$  is given as follows:

$$\bullet \quad TR_i(t) = TR_{i1}(t) + \dots + TR_{in}(t).$$

$\max TR_{ij}(t)$  is a maximum transmission rate of  $p_i$  to  $p_j$  at  $t$ . Here,  $TR_{ij}(t) \leq \max TR_{ij}(t)$  and  $TR_{ij}(t) \leq \max TR_i(t) \leq \max TR_i$ .

$p_i$  receives messages from multiple processes while sending messages to multiple processes in  $G$ . Here, let  $\delta_{ij}$  denote the propagation delay from a process  $p_i$  to  $p_j$ . Assume that  $\delta_{ij} = \delta_{ji}$  for every pair of  $p_i$  and  $p_j$  in  $G$  and  $\delta_{ij}$  is time-invariant.  $p_i$  receives messages at time  $t$  which  $p_j$  has sent to  $p_i$  at  $t - \delta_{ij}$ . Hence, totally  $TR_{i1}(t - \delta_{i1}) + \dots + TR_{in}(t - \delta_{in})$  messages arrive at  $p_i$  at time  $t$  [Figure 2].  $AR_{ij}(t)$  is an arrival rate showing how many messages arrive at  $p_i$  from  $p_j$  per a time

unit at  $t$ . Let  $AR_i(t)$  be an arrival rate of  $p_i$  at  $t$  which is given as follows:

- $AR_i(t) = AR_{i1}(t) + \dots + AR_{in}(t)$ .
- $AR_{ij}(t) = TR_{ji}(t - \delta_{ij})$ .

If  $AR_i(t) \leq \max RR_i$ ,  $p_i$  receives all the messages sent to  $p_i$  from the processes in  $G$ . That is,  $RR_i(t) = AR_i(t)$ . Otherwise,  $p_i$  loses some of the messages sent to  $p_i$  due to the buffer overrun, i.e.  $RR_i(t) < AR_i(t)$ .  $\max RR_{ij}(t)$  is the maximum receipt rate of  $p_i$  from  $p_j$ , i.e.  $RR_{ij}(t) \leq \max RR_{ij}(t)$ .  $\max RR_{i1}(t) + \dots + \max RR_{in}(t) \leq \max RR_i$ . If  $AR_{ij}(t) > \max RR_{ij}(t)$ ,  $RR_{ij}(t) = \max RR_{ij}(t)$ . Here,  $p_i$  loses  $AR_{ij}(t) - RR_{ij}(t)$  messages at  $t$ . In this paper, we make a following assumption on how many messages are lost due to the overrun.

**[Assumption]** If  $AR_{ij}(t) > \max RR_{ij}(t)$ ,  $p_i$  loses  $AR_{ij}(t) - \max RR_{ij}$  messages sent by  $p_j$  per a time unit at time  $t$ .  $\square$

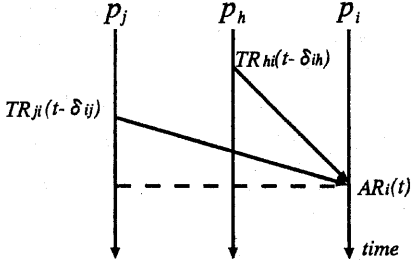


Figure 2: Arrival rate.

This assumption means that each  $p_i$  can receive  $\max RR_{ij}(t)$  messages from  $p_j$  at every time  $t$ . That is,  $RR_{ij}(t) = \max RR_{ij}(t)$  if  $AR_{ij}(t) \geq \max RR_{ij}(t)$ .  $L_{ij}(t)$  is  $AR_{ij}(t) - \max RR_{ij}(t)$  if  $AR_{ij}(t) > \max RR_{ij}(t)$ . A loss rate  $L_i(t)$  shows how many messages per a time unit are lost by  $p_i$ . Even if  $AR_i(t) < \max RR_i$ ,  $L_i(t)$  may not be zero. For example,  $p_i$  decides the maximum receipt rate  $\max RR_{ij}(t)$  of messages from  $p_j$ . Here,  $L_{ij}(t) > 0$  if  $AR_{ij}(t) > RR_{ij}(t)$ .  $L_i(t)$  is defined as follows:

- $L_i(t) = L_{i1}(t) + \dots + L_{in}(t)$ .

Even if  $RR_i(t) \leq \max RR_i$ ,  $L_i(t)$  may not be zero since  $L_{ij}(t) > 0$  for some  $j$ . Each  $p_i$  receives messages from  $p_1, \dots, p_n$  at the receipt rate  $RR_i(t)$  at time  $t$  as presented here.  $RR_{ij}(t)$  is a receipt rate of  $p_i$  from  $p_j$ . That is,  $p_i$  receives  $RR_{ij}(t)$  messages from  $p_j$  per a time unit at  $t$ .

- $RR_i(t) = RR_{i1}(t) + \dots + RR_{in}(t)$ .

$p_i$  control the receipt rate  $RR_{ij}(t)$  for  $p_j$  by giving some part of  $\max RR_i$  to  $\max RR_{ij}(t)$ . Let  $L_{ij}(t)$  denote a loss rate of messages which  $p_j$  loses from  $p_i$  at  $t$ .

$$L_{ij}(t) = \begin{cases} AR_{ij}(t) - \max RR_{ij}(t) & \text{if } AR_{ij}(t) \geq \max RR_{ij}(t) \\ 0 & \text{otherwise.} \end{cases}$$

Let  $\max RR$  be  $\max RR_1 + \dots + \max RR_n$ .  $\max RR$  is named a total capacity of the system. At most  $\max RR$  messages can be transmitted at the same time in the network. Let  $\text{total} TR(t)$  be a total transmission rate of the system at time  $t$ . In the system,  $\text{total} TR(t)$  shows the amount of messages which all the processes are transmitting at time  $t$ . Let  $\text{total} AR(t)$  be a total arrival rate of the system at  $t$ .  $\text{total} AR(t)$  shows the number of messages which are arriving at the processes in  $G$  at  $t$ . Let  $\text{total} RR(t)$  be a total receipt rate of the system at  $t$ . Totally  $\text{total} RR(t)$  messages are received by the processes in the system at  $t$ .

- $\text{total} TR(t) = TR_1(t) + \dots + TR_n(t)$ .
- $\text{total} AR(t) = AR_1(t) + \dots + AR_n(t)$ .
- $\text{total} RR(t) = RR_1(t) + \dots + RR_n(t)$ .

$\text{total} RR(t)$  shows the throughput of the system at  $t$ . Here,  $\text{total} RR(t) \leq \max RR$  and  $\text{total} RR(t) \leq \text{total} AR(t)$ . Let  $\text{total} L(t)$  be a total loss rate of the system at  $t$ .

- $\text{total} L(t) = L_1(t) + \dots + L_n(t)$ .

The efficiency  $E(t)$  of the system at  $t$  is defined to be  $\text{total} RR(t) / \text{total} L(t)$ . The larger  $E(t)$  is, the more efficient the system is.

### 3.2 Stream rates

Each process  $p_i$  sends  $k_i$  ( $\geq 0$ ) streams  $S_i^1, \dots, S_i^{k_i}$  in the group  $G$  at the same time. Messages decomposed from each stream  $S_i^h$  are transmitted to the destinations at some transmission rate  $TR_{ij}^h(t)$  ( $h = 1, \dots, k_i$ ).

- $TR_{ij}(t) = TR_{ij}^1(t) + \dots + TR_{ij}^{k_i}(t)$ .

$AR_{ji}^h(t) = TR_{ij}^h(t - \delta_{ij})$  which is the arrival rate of  $S_i^h$  from  $p_i$  to  $p_j$ . Let  $RR_{ji}^h(t)$  denote a receipt rate of messages of  $S_i^h$  which  $p_i$  receives from  $p_j$  at  $t$ .  $\max RR_{ji}^h(t)$  is the maximum receipt rate of  $RR_{ji}^h(t)$ , i.e.  $RR_{ji}^h(t) \leq \max RR_{ji}^h(t)$ . Let  $L_{ji}^h(t)$  be a loss rate of messages in  $S_j^h$  which  $p_i$  loses from  $p_j$  at  $t$ .

- $AR_{ji}(t) = AR_{ji}^1(t) + \dots + AR_{ji}^{k_j}(t)$ .
- $RR_{ji}(t) = RR_{ji}^1(t) + \dots + RR_{ji}^{k_j}(t)$ .
- $L_{ji}(t) = L_{ji}^1(t) + \dots + L_{ji}^{k_j}(t)$ .
- $L_{ji}^h(t) = AR_{ji}^h(t) - RR_{ji}^h(t)$  ( $h = 1, \dots, k_j$ ).

Here, even if  $RR_{ji}(t) > AR_{ji}(t)$ ,  $L_{ji}(t) > 0$  if  $p_i$  loses messages of some  $S_j^h$ , i.e.  $L_{ji}^h(t) = AR_{ji}^h(t) -$

$\max RR_{ji}^h(t) > 0$ . Even if  $RR_{ji}(t) \leq \max RR_{ji}(t)$ ,  $L_{ji}(t)$  may not be zero.

Let  $|S_i^h|$  be a volume of  $S_i^h$ . Suppose that  $p_i$  starts to transmit messages of  $S_i^h$  to  $p_j$  at time  $t_1$  and ends up at  $t_2$ , i.e.  $\int_{t_1}^{t_2} RR_{ij}^h(t + \delta_{ij})dt = |S_i^h|$ . If  $p_j$  loses some messages of  $S_i^h$  sent by  $p_i$ ,  $p_i$  retransmits  $p_j$  the messages lost by  $p_j$ . Here,  $\int_{t_1}^{t_2} TR_{ij}^h(t)dt \geq |S_i^h|$ . Let  $ATR_{ij}^h$  be an average transmission rate of  $S_i^h$ , i.e.  $ATR_{ij}^h = \int_{t_1}^{t_2} TR_{ij}^h(t)dt / (t_2 - t_1)$ . Let  $ARR_{ij}^h$  be an average receipt rate of  $S_i^h$ , i.e.  $ARR_{ij}^h = |S_i^h| / (t_2 - t_1)$ .

Each process  $p_i$  can control the transmission of  $S_i^h$  by giving  $TR_{ij}^h(t)$ .  $p_j$  controls the receipt of  $S_i^h$  by giving  $\max RR_{ji}^h(t)$ .

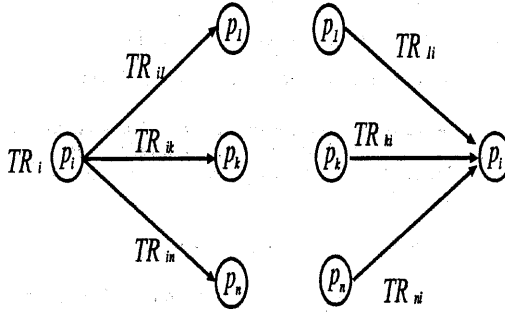


Figure 3: Transmission and receipt rates.

### 3.3 Fairness

The system has to *fairly* support the processes in the group  $G = \{p_1, \dots, p_n\}$  with the data transmission. First, let us consider the transmission rates of the processes. Suppose that  $p_i$  and  $p_j$  would send messages. Suppose that there are two systems  $T_1$  and  $T_2$  which support  $G$  with different rate-based flow control strategies. Let  $TR_i^{(k)}(t)$  be a transmission rate of  $p_i$  by the system  $T_k$  at time  $t$ .  $T_1$  is defined to be more *fair* than  $T_2$  on the transmission rates of  $p_i$  and  $p_j$  at  $t$  if  $|TR_i^{(1)}(t) - TR_j^{(1)}(t)| \leq |TR_i^{(2)}(t) - TR_j^{(2)}(t)|$ . Here, let  $VTR^{(k)}(t)$  be the variance of  $TR_1^{(k)}(t), \dots, TR_n^{(k)}(t)$  in the system  $T_k$ .

**[Definition]** A system  $T_1$  is more *fair* than  $T_2$  on the transmission rate at time  $t$  iff  $VTR^{(1)}(t) \leq VTR^{(2)}(t)$ .  $\square$

In the most fair system, every process  $p_i$  transmits messages at the same rate, i.e.  $TR_i(t) = TR_j(t)$  for every pair of  $p_i$  and  $p_j$ .

Here, let  $VRR^{(k)}(t)$  and  $VL^{(k)}(t)$  be the variances of the receipt rates and the loss rates of the processes in the system  $T_k$  at time  $t$ .

**[Definition]**  $T_1$  is more *fair* than  $T_2$  on the receipt rate and loss rate iff  $VRR^{(1)}(t) \leq VRR^{(2)}(t)$  and  $VL^{(1)}(t) \leq VL^{(2)}(t)$ , respectively.  $\square$

### 3.4 Satisfiability

Distributed applications specify requirements on the transmission rates of messages in the group  $G$ . Let  $QR_{ij}^h$  be a transmission requirement for a stream  $S_i^h$  sent by  $p_i$  to  $p_j$  which shows how many messages of  $S_i^h$  per a time unit to be transmitted from  $p_i$  to  $p_j$ .  $QR_{ij}^h$  is a transmission requirement of messages sent by  $p_i$  to  $p_j$ .

- $QR_{ij} = QR_{ij}^1 + \dots + QR_{ij}^{k_i}$ .

In addition, there is a transmission requirement among the streams  $S_i^h$  and  $S_k^l$ . Suppose that  $S_i^h$  and  $S_k^l$  are sent to  $p_j$ . For example, applications require that  $p_j$  receive the messages of  $S_i^h$  and  $S_k^l$  at the same rate, i.e.  $QR_{ij}^h = QR_{kj}^l$ .  $p_j$  may be required to receive  $S_i^h$  three times faster than  $S_k^l$ , i.e.  $QR_{ij}^h = 3QR_{kj}^l$ . Thus, the relation among the streams  $S_i^h, \dots, S_k^l$  is represented by the relation among the receipt rates  $Q_{ij}^h, \dots, Q_{kj}^l$ . The satisfiability  $SQ_{ij}^h(t)$  of the system is defined to be  $TR_{ij}^h(t) / QR_{ij}^h(t)$ . The bigger  $SQ_{ij}^h(t)$  is, the more satisfied  $p_i$  is for  $S_i^h$ .  $SQ_{ij}(t)$  and  $SQ_i(t)$  are defined as follows:

- $SQ_{ij}(t) = (SQ_{ij}^1(t) + \dots + SQ_{ij}^{k_i}(t)) / k_i$ .
- $SQ_i(t) = (SQ_{i1}(t) + \dots + SQ_{in}(t)) / n$ .

Let  $SQ_{ji}$  and  $SQ_i$  be averages of  $SQ_{ij}(t)$  and  $SQ_i(t)$ , respectively.

### 4 Rate Control

We discuss how to allocate the transmission rates to the processes  $p_1, \dots, p_n$  in the group  $G$ . Each  $p_i$  sends multiple streams  $S_i^1, \dots, S_i^{k_i}$  to multiple destination processes while  $p_i$  receives multiple streams from multiple processes in  $G$ . In this paper, we consider the following requirements:

- (1) Transmission rate.
- (2) Synchronization among streams.

#### 4.1 Transmission rate

Each process  $p_i$  sends a stream  $S_i^h$  to the destination processes in  $G$ . For each stream  $S_i^h$  and each destination process  $p_j$  of  $S_i^h$ , a transmission rate requirement  $QR_{ij}^h$  is specified.  $p_i$  is required to send  $S_i^h$  to  $p_j$  at a transmission rate  $TR_{ij}^h(t) \geq QR_{ij}^h$ .  $p_i$  has to decide  $TR_{ij}^h(t) = TR_{i1}^h(t) + \dots + TR_{in}^h(t)$  so as to satisfy the following constraints:

- $\sum_{h=1}^{k_i} TR_{ij}^h(t) \leq \max TR_i$ .
- $TR_{ij}(t) \leq \max RR_{ji}(t)$  for every destination process  $p_j$ .

Before sending streams  $S_i^1, \dots, S_i^{k_i}$ , each  $p_i$  sends the requirements  $QR_{i1}^1, \dots, QR_{in}^{k_i}$  for every  $S_i^h$  to  $p_1, \dots, p_n$  in  $G$ .  $p_i$  receives the transmission requirements from all the processes, i.e.  $\{QR_{ij}^h | j, h = 1, \dots, n, l = 1, \dots, k_j\}$ . Based on the rate requirements obtained,  $p_i$  decides  $TR_{ij}(t)$  for each  $p_j$  and  $S_i^h$ .

- (1) If  $\sum_{i=1}^n QR_{ij} \leq \max RR_j$  for  $p_j$ ,  $p_i$  sends messages of the stream  $S_i^h$  to  $p_j$  at a transmission rate  $TR_{ij}^h(t) = QR_{ij}^h$ .  $p_j$  receives the messages of  $S_i^h$  from  $p_i$  at a receipt rate  $RR_{ji}^h(t) = QR_{ij}^h$ .
- (2) Otherwise, the transmission rate of  $p_i$  has to be changed as follows:  
If  $\sum_{i=1}^n QR_{ij} > \max RR_j$ ,  $TR_{ij}(t) = QR_{ij}^h \times (\max RR_j / \sum_{i=1}^n QR_{ij})$ .

In (2), some messages of some stream are lost by  $p_j$  due to the overrun. Each stream  $S_i^h$  has a priority  $\pi(S_i^h)$  given by  $p_i$ . If  $p_j$  losses messages of  $S_i^h$ ,  $p_j$  reduces the receipt rate of the lower-priority stream  $S_i^l$  to give more rates to  $RR_{ji}^h(t)$ . Here, suppose that messages are lost by  $p_i$ ,  $L_{ji}^h > 0$ .

- (1) If  $RR_{ji}(t) \geq AR_{ji}(t)$ , some parts of  $RR_{ji}^1(t), \dots, RR_{ji}^{l_{j-1}}(t)$  are moved to  $RR_{ji}^h(t)$  if  $\pi(S_i^h) < \pi(S_i^{l_{j-1}})$ . That is,  $RR_{ji}^h(t) = RR_{ji}^h(t + \delta) + \alpha$  and  $RR_{ji}^{l_{j-1}}(t + \delta) = RR_{ji}^{l_{j-1}}(t) - \alpha_k$  so that  $RR_{ji}^h(t) \geq AR_{ji}^h(t)$ . Here,  $\alpha = \alpha_1 + \dots + \alpha_n$  and  $\alpha_k > \alpha_k$ , if  $\pi(S_i^h) < \pi(S_i^{l_{j-1}})$ .
- (2) If  $RR_{ji}(t) < AR_{ji}(t)$ , some parts of  $RR_{ji}^1(t), \dots, RR_{ji}^{l_{j-1}}(t)$  are moved to  $RR_{ji}^h(t)$  if  $\pi(S_j^h) < \pi(S_i^h)$ , i.e.  $RR_{ji}^h(t + \delta) = RR_{ji}^h(t) + \alpha$  and  $RR_{ji}^{l_{j-1}}(t + \delta) = RR_{ji}^{l_{j-1}}(t) - \alpha_k$ . Here,  $\alpha = \alpha_1 + \dots + \alpha_n$  and  $\alpha_k > \alpha_k$ , if  $\pi(S_i^h) < \pi(S_i^{l_{j-1}})$ .

#### 4.2 Synchronization

Some streams transmitted are interrelated. First,  $p_i$  has to send messages of each stream  $S_i^h$  to each  $p_j$  so that  $p_j$  could receive all the messages of  $S_i^h$  as presented in the preceding subsection. In addition, we have to consider the relations among the streams. For example, suppose that  $p_i$  sends two streams, i.e. voice stream  $S_i^1$  and image one  $S_i^2$  to  $p_j$ .  $p_j$  is required to receive the messages of  $S_i^1$  and  $S_i^2$  in a synchronous mode. That is, it is required that  $RR_{ji}^1(t) / RR_{ji}^2(t)$  be invariant for every time  $t$ . In another example, suppose that  $p_j$  and  $p_k$  send streams  $S_j$  and  $S_k$  to  $p_i$ , respectively.  $p_i$  has to send  $S_j$  and  $S_k$  in a synchronous mode if  $S_j$  and  $S_k$  are related. Thus, each  $p_i$  has to send messages to the destination processes so as to satisfy the requirements. There are the following cases [Figure 4]:

- (1)  $p_i$  sends a stream  $S_i^h$  to  $p_1, \dots, p_n$  in  $G$  [Figure 4(1)]. For every pair of destinations  $p_j$  and  $p_k$  of  $S_i^h$ ,  $TR_{ij}^h(t) = c_{jk} \times TR_{ik}^h(t)$  where  $c_{jk}$  is a constant.
- (2)  $p_i$  receives streams from  $p_1, \dots, p_n$  in  $G$  [Figure 4(2)]. Suppose that  $p_i$  receives a stream  $S_j^h$  from  $p_j$  and  $S_k^h$  from  $p_k$ ,  $RR_{ji}^h(t) = b_{jk} \times RR_{ki}^h(t)$  where  $b_{jk}$  is a constant.

In (1), if  $c_{jk} = 1$ ,  $p_i$  sends the messages of  $S_i^h$  to every destination  $p_j$  at the same transmission rate. If there is no relation between  $p_j$  and  $p_k$ ,  $p_i$

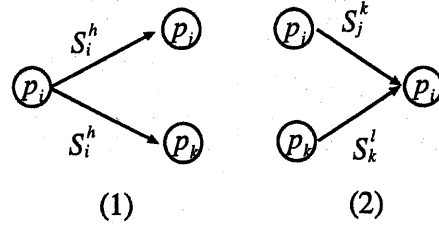


Figure 4: Related streams.

can transmit messages of  $S_i^h$  to  $p_j$  and  $p_k$  at different transmission rates  $TR_{ij}^h(t)$  and  $TR_{ik}^h(t)$  so that  $TR_{ij}^h(t) \leq \max RR_j$  and  $TR_{ik}^h(t) \leq \max RR_k$ . In (2), if  $b_{jk} = 1$ ,  $p_i$  has to receive the messages of  $S_j^h$  and  $S_k^h$  at the same receipt rate, i.e.  $RR_{ji}^h(t) = TR_{ik}^h(t)$ . Here,  $p_i$  receives the messages in a synchronous mode. If the overrun occurs in the receiver process, the transmission rate is decreased so as to satisfy the constraints (1) and (2).

Every process  $p_i$  negotiates with the other processes before transmitting the messages of the stream. Each process  $p_i$  first sends the transmission requirement  $QR_i^h = \langle QR_{i1}^h, \dots, QR_{in}^h \rangle$  to all the processes  $p_1, \dots, p_n$  in  $G$  before sending the messages of a stream  $S_i^h$ . The requirement  $QR_i^h$  includes  $QR_{ij}^h$  for each destination  $p_j$ .  $QR_{ij}^h$  also includes the inter-stream requirement in from  $\langle QR_{ij}^h, QR_{ik}^h, c_{jk}^h \rangle$ . On receipt of  $QR_{ij}^h$  from  $p_j$ ,  $p_i$  decides the maximum receipt rate  $\max RR_{ji}^h$  for  $S_i^h$ . If there is no conflict among the stream requirements in  $p_j$ ,  $\max RR_{ji}^h = QR_{ij}^h$ . Otherwise,  $p_j$  has to do the negotiation with  $p_i$  and the processes with which  $p_j$  is communicating.

#### 5 Implementation

The algorithms for allocating the transmission rates to the processes  $p_1, \dots, p_n$  in the group  $G$  are implemented in Sparc workstations interconnected by the fast Ethernet 100baseTX [Figure 5], where each  $p_i$  is in one station. Each process  $p_i$  has four modules  $A_i$ ,  $V_i$ ,  $WB_i$ , and  $GR_i$ . The modules  $A_i$ ,  $V_i$ , and  $WB_i$  are application interfaces for audio, visual, and whiteboard media, respectively, of  $p_i$ .  $A_i$ ,  $V_i$ , and  $WB_i$  send and receive audio, visual, and whiteboard streams, respectively to the other processes in  $G$ .  $GR_i$  is a module of the group communication protocol [15-17].  $GR_i$  is composed of two modules, a group agent  $AG_i$  and a data transmission module  $TR_i$ .  $AG_i$  does the negotiation with the agents in the other processes in  $G$  to allocate the transmission rates to the processes.  $TR_i$  sends audio, video, and whiteboard streams to each destination at the rates obtained by the negotiation of  $AG_i$  module.  $TR_i$  also receives the streams from the other processes at the rates negotiated.  $TR_i$  sends and receives the messages at the rates allocated by  $AG_i$ , and delivers the messages in the causal order.

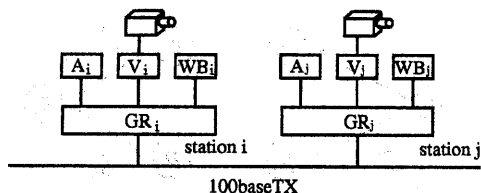


Figure 5: System model

## 6 Concluding Remarks

The traditional rate-based flow control schemes discuss how one process sends messages to one destination process or multicasts them to a group of multiple processes. In the group communication, each process not only sends messages to multiple processes but also receives messages sent by multiple processes in the group. In this paper, we have presented the general models of the group communication where the processes transmit multiple streams of multimedia data which are interrelated. In addition, we have discussed how to allocate the transmission rates to the processes in the group.

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