

## Checkpoint and Rollback in Asynchronous Distributed Systems

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This paper proposes a novel algorithm for taking checkpoints and rolling back the processes for recovery in asynchronous distributed systems. The algorithm has the following properties: (1) Multiple processes can simultaneously initiate checkpointing. (2) No additional message is transmitted for taking checkpoints. (3) A set of local checkpoints taken by the multiple processes denotes a consistent global state. (4) Multiple processes can initiate simultaneously rollback recovery. (5) The minimum number of processes are rolled back. (6) Each process is rolled back independently of the other processes. Therefore, the system is kept highly available by the algorithm.

### 非同期分散システムにおけるチェックポイント設定とロールバック回復

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非同期分散システムにおける、新しいチェックポイント設定手法およびロールバック回復手法について述べる。本論文で提案するチェックポイント取得手順は、任意のプロセスによる手順実行開始が可能であり、このために特別のメッセージを必要としない。また、本論文で提案するロールバック回復手順は、任意のプロセスによる手順実行開始が可能であり、一貫した広域状態を定めるチェックポイントへ、必要なプロセスのみをロールバックさせる。このロールバックは、各プロセスごとに非同期的に実行される。提案する手法は、この非同期的な実行によって発生し得るライブロックの問題を解決している。以上より、システムの可用性を保ったままでこれらの手順を実行することができる。

## 1 Introduction

Information systems are distributed and are getting larger by including many kinds of component systems and interconnecting with various systems, e.g., by the Internet, in the world. The distributed systems are designed and developed by using widely used products including freewares and sharewares rather than specially designed hardwares and softwares. These components are not always guaranteed to support enough reliability and availability for the applications. It is critical to discuss how to make and keep the systems so reliable and available that even fault-tolerant applications could be computed in the systems.

Checkpointing and rollback recovery are well-known time-redundant techniques in order to allow processes to make progress even if some processes fail. The processes take checkpoints by saving their state information in the local logs while being executed. If the processes fail in the system, the processes are rolled back to the checkpoints by restoring the saved state information and then are restarted from the checkpoints. In this paper, we assume that every failure is *transient*, e.g., hardware errors, process crashes, transaction aborts, and communication deadlocks. The failures are unlikely to recur after the processes are restarted.

We have to consider how to keep the system

consistent when taking checkpoints and rolling back the processes. The consistency of the global state is formalized by Chandy and Lamport [2]. Many papers [2, 4, 5, 7-10] have discussed so far how to take the consistent checkpoints among multiple processes. In addition, it is critical to discuss how to roll back the processes if the system suffers from the process faults. If each process is rolled back independently of the other processes, the system may be inconsistent. One idea [5] is to synchronize all the processes to be rolled back by using the protocols similar to the two-phase commitment protocol [1]. However, it takes time to exchange messages among the processes. In this paper, we would like to discuss a new method where the processes are allowed to be asynchronously rolled back and restarted.

In section 2, the conventional methods are reviewed. In section 3, we show a basic algorithm for taking checkpoints and rolling back processes. In section 4, we make clear the problem of livelocks occurring in the rollback recovery. A livelock-free algorithm is proposed in section 5. The evaluation of the algorithm is presented in section 6.

## 2 Checkpoint and Rollback

A distributed system is composed of multiple processes interconnected by channels, i.e.,  $(V, L)$

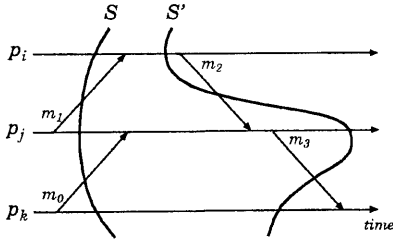


Figure 1: Consistent global state

where  $V = \{p_1, \dots, p_n\}$  is a set of processes and  $L \subseteq V^2$  is a set of channels. In the distributed system, three kinds of events occur: message-sending, message-receiving and local events. The state of a process is changed when an event occurs. An event  $e_s$  happens before another event  $e_t$  ( $e_s \rightarrow e_t$ ) iff one of the following conditions is satisfied [6]:

- $e_s$  occurs before  $e_t$  in the same process.
- $e_s$  is a message-sending event for a message  $m$  and  $e_t$  is a message-receiving event for  $m$ .
- There is an event  $e_u$  such that  $e_s$  happens before  $e_u$  and  $e_u$  happens before  $e_t$ .

A local state of  $p_i$  is determined by the initial state and the sequence of events occurring in  $p_i$ . Messages are transmitted from  $p_i$  to  $p_j$  via a channel  $[p_i, p_j]$ . A state of  $[p_i, p_j]$  is defined as a set of messages sent by  $p_i$  but not yet received by  $p_j$ . For a set  $P$  of processes, a global state  $S(P)$  is a set of local states of the processes in  $P$  and of the channels with which the processes are connected.

If the processes take the checkpoints and are rolled back to the checkpoints independently, there exist two kinds of inconsistent messages: *lost messages* and *orphan messages*. A lost message means that a message-sending event occurs before the sender process takes a checkpoint and a message-receiving event occurs after the receiver process takes a checkpoint. An orphan message means that a message-sending event occurs after the sender process takes a checkpoint and a message-receiving event occurs before the receiver process takes a checkpoint. By recording the received messages in the log after taking a checkpoint, the lost messages can be received by taking them out of the log. However, if there exist orphan messages, the system becomes inconsistent. Even if the processes record messages in the log at message-sending events, the processes may not send the messages after the rollback recovery if the processes are not deterministic. Therefore, the global state of the system is consistent iff there is no orphan messages. Figure 1 shows three processes  $p_i$ ,  $p_j$  and  $p_k$ . A global state  $S$  is consistent because there is no orphan message. However, another global state  $S'$  is inconsistent because  $m_3$  is an orphan message.

There are two approaches to taking checkpoints among multiple processes. One is *asynchronous*

*checkpointing* where the processes take the checkpoints without cooperating with the other processes [4, 9, 10]. This approach implies less overhead because there is no communication among the processes. However, *domino effects* may occur [7]. The other is *synchronous checkpointing* where multiple processes are coordinated to take the checkpoints [2, 5, 7, 8]. By the synchronous one, the overhead for taking checkpoints is larger than the asynchronous approach while the overhead for rolling back is limited. This paper discusses the synchronous approach.

A global checkpoint is a set of local checkpoints taken by all the processes in the system [2, 4, 5, 7–10]. Additional messages are transmitted and processes are suspended during the checkpointing procedure. However, all the processes are not always needed to take checkpoints to keep the system consistent after the rollback recovery.

**Definition (semi-consistent)** For a distributed system  $\langle V, L \rangle$ , let  $P$  be a subset of  $V$ . A global state  $S$  is *semi-consistent* for  $P$  iff there is no orphan message in the channels connected with the processes in  $P$ .  $\square$

In our checkpointing algorithm, a message  $m$  contains the information on whether the sender process of  $m$  has taken a checkpoint or not. If the sender process of  $m$  had taken a checkpoint,  $m$  is referred to as a *checkpoint message*.

**Checkpoint** If a message-receiving event  $e$  for a checkpoint message occurs in a process  $p$  which has not yet taken a checkpoint,  $p$  takes a checkpoint just before  $e$ .

The minimum number of processes take checkpoints and no additional message is transmitted to take checkpoints by using the protocol.

In the conventional methods, the processes have to be synchronized to be restarted by the following procedure after they are rolled back:

- 1) Request messages are transmitted from the *coordinator process* to all the other processes called *cohort processes*.
- 2) A reply message is transmitted from each cohort to the coordinator.
- 3) The coordinator transmits restart messages to all the cohort. Each cohort is restarted from the checkpoint.

One of the disadvantages of the method is that the processes are suspended and additional messages are transmitted to synchronize the processes. The larger the system becomes, the longer the processes are suspended. Thus, the system becomes less available. In order to keep the system highly available with the rollback recovery, we would like to discuss a method where processes are less synchronized to be restarted from the checkpoints.

### 3 Basic Algorithm

Here, we would like to show a basic algorithm for taking checkpoints and rolling back processes by using an example in Figure 2. The system

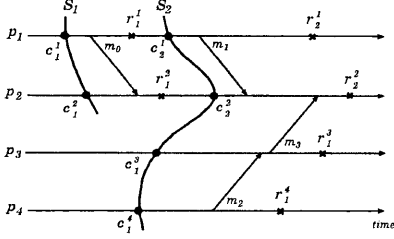


Figure 2: Semi-consistent global state.

consists of processes  $\{p_1, p_2, p_3, p_4\}$  and channels  $\{[p_1, p_2], [p_2, p_3], [p_3, p_4]\}$ . Here,  $[p_i, p_j]$  denotes a bidirectional channel between  $p_i$  and  $p_j$ . Each process  $p_i$  takes a checkpoint  $c^i$ . If some failure occurs,  $p_i$  is rolled back and restarted from  $c^i$ .  $c_s^i$  represents the  $s$ th checkpoint taken by  $p_i$ .  $r_s^i$  shows a possible rollback event where  $p_i$  is rolled back to  $c_s^i$ . If  $c_s^i$  occurs and  $r_s^i$  does not occur in  $p_i$ ,  $c_s^i$  is active. For example,  $c_2^1$  is active when  $p_1$  sends  $m_1$ . If  $p_1$  is rolled back from  $r_2^1$  and is restarted from  $c_2^1$ ,  $c_2^1$  is not active.

If  $p_i$  fails, it is not sufficient to roll back  $p_i$  to the checkpoint because there may be orphan messages. For example, if  $r_1^1$  occurs in  $p_1$  and  $p_1$  is restarted from  $c_1^1$ ,  $m_0$  is an orphan message. In order to realize a semi-consistent global state after the rollback recovery,  $p_2$  has to be restarted from  $c_2^1$ . That is, if  $p_i$  is restarted from  $c_s^i$ , an event  $e_j^i$  in  $p_j$  where  $c_s^i \rightarrow e_j^i$  has to be canceled by a rollback recovery in  $p_j$ .

Even if  $p_1$  and  $p_2$  are rolled back and restarted from  $c_1^1$  and  $c_2^1$ , respectively,  $p_3$  and  $p_4$  are not required to be rolled back. That is, if no event  $e_j^i$  where  $c_s^i \rightarrow e_j^i$  occurs in  $p_j$ ,  $p_j$  is not required to be rolled back. Thus, if  $p_i$  is rolled back, we have to identify which processes are rolled back.

**Definition (rollback-domain)** Let  $c^i$  and  $c^j$  be active checkpoints taken by processes  $p_i$  and  $p_j$ , respectively. Let  $e^i$  and  $e^j$  be events such that 1)  $c^i \rightarrow e^i$  and  $c^j \rightarrow e^j$ , and 2) there is no event  $e$  where  $c^i \rightarrow e \rightarrow e^i$  or  $c^j \rightarrow e \rightarrow e^j$ . Here,  $c^i \Rightarrow c^j$  is defined iff  $e^i \rightarrow e^j$ . A *rollback-domain*  $D(p_i)$  of  $p_i$  is defined to be a following set of processes:

- $p_i \in D(p_i)$  if there is an active checkpoint in  $p_i$ . Otherwise,  $D(p_i) = \emptyset$ .
- $p_j \in D(p_i)$  if  $c^j$  is active in  $p_j$  and  $c^i \Rightarrow c^k$  or  $c^k \Rightarrow c^j$  where  $c_k$  is active in  $p_k \in D(p_i)$ .  $\square$

For example, when  $p_1$  takes a checkpoint  $c_1^1$ ,  $D(p_1) = \{p_1\}$ . When  $m_0$  is transmitted from  $p_1$  to  $p_2$ ,  $p_2$  takes a checkpoint  $c_2^1$  before accepting  $m_0$ . Here,  $D(p_1) = D(p_2) = \{p_1, p_2\}$ .

It is clear that  $p_i \in D(p_j)$  and  $D(p_i) = D(p_j)$  for  $p_j \in D(p_i)$ , and  $D(p_i) \cap D(p_j) = \emptyset$  if  $p_j \notin D(p_i)$ . A set  $C = D(p_i)$  of processes is referred to as a *rollback-class*. If  $p_i$  in a rollback-class  $C$  sends a message  $m$  and  $p_k$  in another rollback-class  $C'$

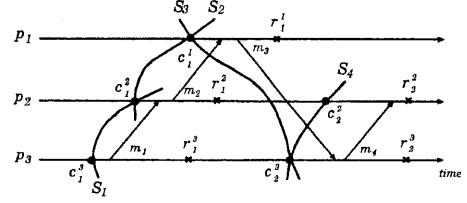


Figure 3: Livelock in rollback recovery.

receives  $m$ ,  $C$  and  $C'$  are merged into  $C'' = C \cup C'$  according to the definition. For example, before  $m_3$  is transmitted,  $p_1$  and  $p_2$  are in  $C = \{p_1, p_2\}$  and  $p_3$  and  $p_4$  are in  $C' = \{p_3, p_4\}$ . When  $m_3$  is transmitted from  $p_3$  to  $p_2$ ,  $C$  and  $C'$  are merged into  $C'' = C \cup C' = \{p_1, p_2, p_3, p_4\}$ .

**Theorem** If a process in a rollback-class  $C$  fails, the system state is semi-consistent if only and all the processes in  $C$  are rolled back to the active checkpoints.  $\square$

That is,  $C$  is the minimum set of processes to be rolled back for keeping the system semi-consistent. However,  $p_i$  has no information on which processes are included in  $C$ . Suppose that  $p_1, p_2, p_3, p_4$  are at  $r_2^1, r_2^2, r_1^3, r_1^4$ , respectively.  $p_1$  does not know that  $p_4$  is in  $D(p_1)$  while knowing that  $p_2$  is in  $D(p_1)$ . That is,  $p_i$  has only the information on whether the neighbor processes are in the same rollback-class or not. Let  $W(p_i)$  denote a  $p_i$ 's view of  $D(p_i)$ .  $W(p_i)$  is a set of processes which  $p_i$  knows in  $D(p_i)$ , i.e.,  $W(p_i) \subseteq D(p_i)$ .

Based on the view of  $p_i$ ,  $p_i$  can be rolled back and restarted from the checkpoint by using the message diffusion protocol [3].

- 1) If  $p_i$  fails,  $p_i$  sends request  $r$  to all the processes in  $W(p)$ .
- 2) On receipt  $r$ ,  $p_i$  also sends  $r$  to all the processes in  $W(p)$ .
- 3) If  $p_i$  receives  $r$  from all the processes in  $W(p)$ ,  $p_i$  is rolled back and restarted from the checkpoint.

## 4 Livelock in Rollback Recovery

Consider the following scenario (Figure 3).

- 1)  $p_3$  takes  $c_3^1$  and sends  $m_1$  to  $p_2$ .  $m_1$  is a checkpoint message. Here,  $c_3^1$  is active and  $D(p_3) = \{p_2, p_3\}$ .
- 2)  $p_2$  receives  $m_1$  and takes  $c_2^1$  where the local state of  $p_2$  before receiving  $m_1$  is recorded in the log. Here,  $c_2^1$  is active and  $D(p_2) = D(p_3) = \{p_2, p_3\}$ .  $S_1 = \{c_1^1, c_1^1\}$  is semi-consistent.
- 3)  $p_2$  sends  $m_2$  to  $p_1$ .  $p_1$  receives  $m_2$  and takes  $c_1^1$ . Here,  $c_1^1$  is active.  $D(p_1) = D(p_2) = D(p_3) = \{p_1, p_2, p_3\}$ .  $p_1$  does not know if  $p_3$  is in the same rollback-class, i.e.,  $W(p_1) = \{p_1, p_2\} \subset D(p_1)$ .
- 4)  $p_3$  fails and is rolled back from  $r_1^3$  to  $c_3^1$ . Now, since  $c_3^1$  is not active,  $p_3$  is not in the rollback-

- class. Here,  $D(p_1) = D(p_2) = \{p_1, p_2\}$  and  $D(p_3) = \emptyset$ .  $S_2 = \{c_1^1, c_1^2\}$  is semi-consistent.
- 5)  $p_1$  sends  $m_3$  to  $p_3$ .  $p_3$  receives  $m_3$  and takes a new checkpoint  $c_3^2$ . Here,  $c_3^2$  is active.  $D(p_1) = D(p_2) = D(p_3) = \{p_1, p_2, p_3\}$ .  $W(p_1) = D(p_1) = \{p_1, p_2, p_3\}$ ,  $W(p_2) = \{p_1, p_2\}$  and  $W(p_3) = \{p_1, p_3\}$ .
  - 6)  $p_2$  is rolled back from  $r_1^2$  to  $c_1^1$  because  $p_3$  is rolled back at the step 4). Here,  $D(p_1) = D(p_3) = \{p_1, p_3\}$  and  $D(p_2) = \emptyset$ .  $S_3 = \{c_1^1, c_2^3\}$  is semi-consistent.
  - 7)  $p_3$  sends  $m_4$  to  $p_2$ .  $p_2$  receives  $m_4$  and takes  $c_2^2$ .  $D(p_1) = D(p_2) = D(p_3) = \{p_1, p_2, p_3\}$ .
  - 8)  $p_1$  is rolled back from  $r_1^1$  to  $c_1^1$ . Here,  $D(p_2) = D(p_3) = \{p_2, p_3\}$ .  $S_4 = \{c_2^2, c_3^3\}$  is semi-consistent.

Thus, the rollback recovery can be continued forever, i.e., livelock occurs. It is noted that  $p_3$  does not take  $c_2^3$  on receipt of  $m_3$  if  $p_3$  is not rolled back before receiving  $m_3$ .

Suppose that a rollback  $r_s^i$  has occurred in  $p_i$  and then  $p_i$  receives a message  $m$  from  $p_j$ . Let  $e^j$  be a message-sending event of  $m$  in  $p_j$ . If an event  $e^i$  has occurred in  $p_i$  where  $e^i \rightarrow e^j$  and  $c_s^i \rightarrow e^i \rightarrow r_s^i$ ,  $p_i$  cannot receive  $m$ . That is,  $p_i$  is sure that  $p_j$  would be rolled back by the rollback of  $p_i$ . The message-receiving event for  $m$  has to be canceled. If  $p_i$  receives  $m$ , the livelock may occur. Hence,  $p_3$  ignores  $m_3$ .

**Definition (generation)** If an event  $e$  occurs in a process  $p_i$  after a checkpoint  $c_s^i$  is taken and before a rollback  $r_s^i$  occurs, the generation  $g(e)$  of  $e$  is  $s$ . Otherwise  $g(e)$  is  $\perp$  (unknown).  $\square$   
The generation  $g(e)$  of a message-sending event  $e$  for a message  $m$  is piggy back by  $m$ . On receipt of  $m$ ,  $p_i$  rejects  $m$  if  $p_j$  knows by  $g(e)$  that  $m$  is canceled by the rollback-recovery. By the method, the livelock is prevented.

## 5 Algorithm

### 5.1 Assumptions and Definitions

A distributed system  $S = \langle V, L \rangle$  consists of a finite set  $V = \{p_1, \dots, p_n\}$  of processes and a set  $L \subseteq V^2$  of channels. We make the following assumptions on  $S$ .

- A1 The channels are bidirectional.
- A2 The channels are reliable.
- A3 For each channel, messages are transmitted in the first-in-first-out order.
- A4  $S$  is asynchronous, i.e., a maximum message transmission delay is unbounded and finite.

If  $[p_i, p_j] \in L$ ,  $p_j$  is a *neighbor process* of  $p_i$ .  $N^i$  is a set of neighbor processes of  $p_i$ .

The following events occur in a process  $p_i$ :

- Message-receiving event:  $p_i$  takes out a message  $m$  from a channel  $[p_j, p_i]$  and accepts  $m$ .
- Message-sending event:  $p_i$  puts a message  $m$  to a channel  $[p_i, p_j]$ .
- Checkpoint:  $p_i$  records the local state information in the log. The  $s$ th checkpoint taken

by  $p_i$  is denoted by  $c_s^i$ .

- Rollback:  $p_i$  restores the local state information recorded at the checkpoint  $c_s^i$  and is restarted from  $c_s^i$ . Here, the rollback is denoted by  $r_s^i$ .

$c_s^i$  is *active* from the time when  $c_s^i$  is taken to the time when  $r_s^i$  occurs.

$p_i$  manipulates the following variables:

- A vector clock  $GL^i = \langle gl_1^i, \dots, gl_n^i \rangle$ . Each  $gl_j^i$  shows the current generation of  $p_j$ .  $gl_j^i$  is incremented by one each time  $p_j$  is rolled back. Initially,  $gl_j^i = 0$  and  $gl_j^i = \perp$  for  $j \neq i$ .
- A flag  $flag^i$ . If  $c_s^i$  is active,  $flag^i = True$ . Otherwise,  $flag^i = False$ .
- A subset  $W^i \subseteq N^i$  of the neighbor processes included in the rollback-domain  $D(p_i)$  of  $p_i$ , i.e.,  $W(p_i)$ . Initially,  $W^i = \emptyset$ .
- A sequence  $M^i$  of messages received after taking the active checkpoint in  $p_i$ . Initially,  $M^i = \emptyset$ .

A message  $m$  contains the data  $m.data$  and the following information:

- A flag  $m.flag$ .
- A vector clock  $m.clock = \langle cl_1, \dots, cl_n \rangle$ .

For a pair of vector clocks  $v^i = \langle v_1^i, \dots, v_n^i \rangle$  and  $v^j = \langle v_1^j, \dots, v_n^j \rangle$ ,  $max(v^i, v^j)$  is defined to be  $\langle v_1, \dots, v_n \rangle$  where each  $v_k = v_k^i$  if  $v_k^j = \perp$ ,  $v_k = v_k^j$  if  $v_k^i = \perp$ ,  $v_k = max(v_k^i, v_k^j)$  otherwise.

### 5.2 Checkpointing

The algorithm has to satisfy the following requirements:

- R1 A process which has an active checkpoint is included in exactly one rollback-class.
- R2 A global checkpoint in a rollback-class is semi-consistent.
- R3 Every process  $p_i$  has the information  $W^i$  on which neighbor processes are included in the same rollback-class.

A process  $p_i$  takes a checkpoint if one of the following conditions is satisfied:

- C1 If a checkpoint event occurs in  $p_i$ ,  $p_i$  takes a checkpoint.
- C2 If a message-receiving event  $e$  occurs in  $p_i$  and  $p_i$  receives a message  $m$  transmitted from a neighbor process  $p_j$  that has taken a checkpoint,  $p_i$  takes a checkpoint just before  $e$ .

C1 means that checkpointing can be initiated independently by multiple processes. C2 means that there is no orphan message in  $[p_i, p_j]$ . Thus, R2 is satisfied. Suppose that  $p_i$  sends a message  $m$  after taking a checkpoint  $c_s^i$ . If  $c_s^i$  is active,  $flag^i = True$ . Thus,  $m.flag = True$ , i.e.,  $m$  is a *checkpoint message*. Suppose that  $p_j$  receives  $m$  after taking  $c_s^j$ ,  $p_j$  does not take another checkpoint even if  $m.flag = True$ . As presented in the previous section, if  $p_i$  in a rollback-class  $C$  sends a checkpoint message to  $p_j$  in another rollback-class  $C'$ ,  $C$  and  $C'$  are merged into one rollback-class  $C''$ . Thus, R1 is satisfied.

The system has to prevent from livelock caused by a rollback recovery. Here, we would like to present the checkpointing algorithm for the livelock-free rollback recovery. Suppose that  $p_i$  receives a checkpoint message  $m$  from  $p_k$ , i.e.,  $m.flag = True$ . Let  $e^i$  denote the message-receiving event of  $m$  in  $p_i$  and  $e^k$  denote the message-sending event of  $m$  in  $p_k$ . If  $r_s^i$  has occurred in  $p_i$  where  $c_s^i \rightarrow e^k$  and  $g(c_s^i) < g(e^i)$ ,  $e^i$  is canceled, i.e.,  $m$  is not received. Otherwise,  $p_i$  takes a checkpoint  $c_{g(e^i)+1}^i$ .  $p_i$  has the local vector clock  $GL^i = \langle g_l^i, \dots, g_n^i \rangle$ . Each time  $p_i$  sends  $m$ ,  $m.clock = \langle m.cl_1, \dots, m.cl_n \rangle$  where  $cl_k = g_k^i$  ( $k = 1, \dots, n$ ). Here, on receipt of a message  $m$  from  $p_j$ ,  $m$  is discarded if  $g_l^i > m.cl_i$ .

$p_i$  records an identifier of a neighbor process  $p_j$  after taking a checkpoint if one of the following conditions is satisfied:

- $p_i$  receives a checkpoint message from  $p_j$ .
- $p_i$  sends a message to  $p_j$ .

Hence, R3 holds.

Moreover, in order to assure that no message is lost after the rollback recovery, if  $p_i$  receives a message  $m$  when  $p_i$  has an active checkpoint  $c_s^i$ ,  $p_i$  records  $m$  in  $M^i$ . If  $p_i$  is rolled back to  $c_s^i$  and is restarted,  $p_i$  receives  $m$  from  $M^i$  before receiving from the channels.

The procedure  $Send(m)$  is executed when a message-sending event occurs in  $p_i$ .  $p_i$  sends a message  $m$  to a process  $m.receiver$ .

```
Send(m)
  m.flag ← flagi;
  m.clock ← GLi;
  send m to m.receiver;
```

The procedure  $Receive(m)$  is executed when a message-receiving event occurs in  $p_i$ .  $p_i$  receives a message  $m$  from a process  $m.sender$ .

```
Receive(m)
  if flagi = True
    if m.flag = True
      add m.sender to Wi.
      GLi ← max(GLi, m.clock);
      accept m;
    else
      add m to Mi;
      accept m;
  fi
else
  if m.flag = True
    if m.cli ≠ ⊥ and m.cli < gii;
      discard m;
    else
      checkpoint;
      add m.sender to Wi;
      GLi ← max(GLi, m.clock);
      accept m;
  fi
else
  accept m;
fi
```

fi

### 5.3 Rollback recovery

If a process  $p_i$  fails, a rollback recovery procedure is executed. The procedure is finished if the rollback-class  $C$  of  $p_i$  becomes empty. This is realized by using the message diffusion protocol [3]. If  $p_i$  receives the request  $r$  for rollback recovery from  $p_j$ ,  $p_i$  sends  $r$  to all the processes in  $W^i$ . On receiving  $r$  from all the processes in  $W^i$ ,  $p_i$  restores the state information recorded at the active checkpoint  $c^i$  taken by  $p_i$  and is restarted from  $c^i$ . Thus,  $p_i$  can be restarted as soon as  $p_i$  is rolled back to the checkpoint while  $p_i$  has to wait for rollback recoveries of other processes in the other algorithms [4, 5, 7-10].

When  $p_i$  is restarted,  $g_l^i$  is incremented by one. If  $p_i$  receives a message  $m$  from a process in  $W^i$  after  $p_i$  receives the request  $r$  for the rollback recovery and before  $p_i$  is restarted,  $m$  is discarded. This is because the message-sending events at which  $m$  is sent is eventually canceled by the rollback recovery. If  $p_i$  receives a message  $m$  from a process  $p \in N^i - W^i$  after  $p_i$  receives  $r$  and before  $p_i$  is restarted,  $m$  is recorded in  $M^i$  and is accepted when  $p_i$  is restarted.

The procedure  $Rollback()$  is executed when a process  $p_i$  is recovered or  $p_i$  receives a request message  $r$  for a rollback recovery.

```
Rollback()
  foreach p ∈ Wi do send r to p; od
  do
    if receive m from some p ∈ Wi
      discard m;
    else if receive m from some p ∈ Ni - Wi
      add m to Mi;
    else if receive r from some p ∈ Wi
      discard r;
  fi
  until receive r from every p ∈ Wi
  restart;
```

## 6 Evaluation

First, we would like to show the logical properties of the algorithm presented in this paper.

**Theorem** The rollback algorithm is terminated in finite time. □

Next, we would like to evaluate the algorithm by comparing with the conventional one [5]. The following kinds of distributed systems  $S = \langle V, L \rangle$  are considered where  $V = \{p_1, \dots, p_n\}$ :

- 1) Linear system:  
 $L = \{[p_i, p_{i+1}] | i = 1, \dots, n-1\}$ .
- 2) Star system:  $L = \{[p_1, p_i] | i = 2, \dots, n\}$ .
- 3) Binary-tree system:  
 $L = \{[p_i, p_{2i}], [p_i, p_{2i+1}] | i = 1, \dots, (n-1)/2\}$ .

Let  $t$  be the time when  $p_1$  fails and  $t^i$  be the time when  $p_i$  is restarted from the checkpoint. It takes  $t^i - t$  to roll back  $p_i$ . Figures 4, 5 and 6 show  $T = \sum_i (t^i - t)$  for the three systems. The shorter  $T$  is, the more highly available the system is. Fol-

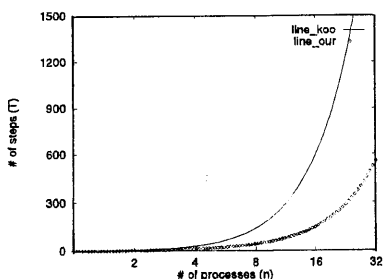


Figure 4: Overhead in linear-network.

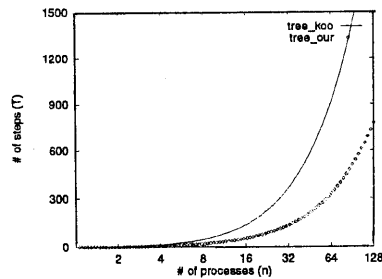


Figure 6: Overhead in binary-tree-network.

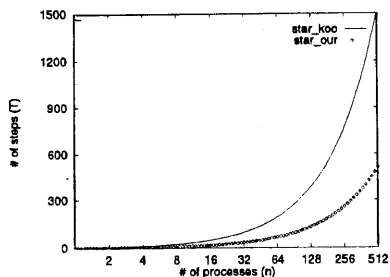


Figure 5: Overhead in star-network.

lowing the figures, these systems are made more highly available than the conventional algorithm by using the proposed algorithm.

The view  $W(p_i)$  of  $p_i$  includes only the neighbor processes with which  $p_i$  exchanges messages. If each message from  $p_i$  to  $p_j$  contains the information  $W(p_i)$ ,  $p_j$  can get a larger  $W(p_j)$  by adding  $W(p_i)$  to  $W(p_j)$ . By using the method, the rollback time can be reduced. We would like to discuss the optimization methods in another paper.

## 7 Concluding Remarks

This paper has proposed the new algorithm for taking checkpoints and rolling back processes in asynchronous distributed systems. The minimum number of processes take checkpoints. The processes are rolled back asynchronously. The algorithm realizes the more highly available system than the conventional one. Therefore, the algorithm will play an important role to develop the reliable and available large-scale distributed systems.

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