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Automatic Recognition of Verbal Polysemy

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Polysemy causes difficulties with the semantic clustering of words in corpus-based linguistics, and also leads to the problem of word-sense ambiguity in NLP systems. In this paper, we give a definition of polysemy from the viewpoint of clustering and propose an overlapping clustering algorithm which recognises verbal polysemies in a textual corpus. The main characteristic of our algorithm is that it explicitly introduces new entities called hypothetical verbs when an entity is judged polysemous, and associates them with the context of the original entity. We have conducted experiments in order to examine the effects of our algorithm, and the results demonstrate the effectiveness of the method.

1. Introduction

Much research has been done on automatic clustering of semantically similar words and on automatic recognition of collocations among them in corpora^{5),10),15),17),18)}. Most of this work is based on similarity measures derived from the distribution of words in corpora. However, the facts that a single word may have more than one meaning and that the distribution of a word in a corpus reflects its usage in a variety of senses often hamper such attempts and also cause the problem of word-sense ambiguity in NLP systems.

The meaning of a word depends on the context in which it is used; the same word can be used differently in different contexts. Furthermore, a word that is polysemous in general is often not polysemous in a restricted subject domain. In fact, restriction of the subject domain usually makes polysemy less problematic. However, unlike nouns, verbs are often polysemous even in a restricted subject domain such as financial texts.

Because polysemous verbs are usually also high-frequency verbs, their treatment is crucial in actual applications. Polysemous verbs tend to have a harmful influence on the semantic clustering of nouns, because this is usually performed on the basis of the noun's collocation

with verbs.

Although polysemy is said to be widespread in languages, the definition of polysemy is highly subjective. Polysemy can only be recognised by human intuition, and different linguists often identify different numbers of senses for the same word. In this paper, we give a definition of polysemy from the viewpoint of clustering, and propose a clustering method which automatically recognises polysemous words. The results of experiments are given to demonstrate the effectiveness of our method.

2. Related Work

There have been several attempts to extract semantically similar words from a given corpus by using statistical methods. However, few studies seriously deal with the problem of polysemy; of these, even fewer are based on real texts.

The techniques developed by Zernik¹⁹⁾ and Brown²⁾ seem to cope with the discrimination of polysemy, and are also based on real texts. Zernik used monolingual part-of-speech tagged texts consisting of about 1 million words. His method associates each sense of a polysemous word with a set of its co-occurring words. If a word has several senses, then the word is associated with several different sets of co-occurring words, each of which corresponds to one of the senses of the word. The limitation of Zernik's method, however, is that it relies solely on human intuition for identifying different senses of a word; that is to say, the human editor has to determine, by her/his intuition, how many senses a word has, and then identify the sets of co-occurring words that correspond to the different senses.

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Brown used bilingual texts. The results of Brown's technique, when applied to a French-English machine translation system, seem to show its effectiveness and validity. As he admits, however, the approach is limited because it can assign at most two senses to a word. More seriously, polysemy is defined in terms of translation: that is to say, a word is regarded as polysemous only when it can be translated by two different words in the target language. Moreover, the approach can be used only when a large parallel corpus is available, and the individual senses thus identified do not necessarily constitute single semantic units in the monolingual domain with which plausible semantic properties (i.e., semantic restrictions, collocations, etc.) can be associated.

The defects of these two methods show that it is crucial to have an appropriate definition of polysemy in terms of the distributional behaviours of words in monolingual texts. The approach proposed in this paper especially focuses on this problem. Like Brown's approach, our approach adopts a relativistic view of polysemy. That is, a word is regarded as polysemous in relation to other related words. However, while Brown's approach identifies polysemous words in relation to similar words in another language, we use semantically similar words in the same language to identify polysemous words. Whether a word is polysemous depends on whether there exists a set of semantically similar words whose distributions are among the subsets of the distribution of that word. Because the distributional behaviour of a word is characterised by its co-occurring words, the process of identifying such subsets essentially corresponds to the process performed manually by the human editor in Zernik's approach.

The experiments in this paper use a corpus annotated with parts-of-speech but not with syntactic structures. The clustering algorithm assumes only that words are semantically characterised by a vector in an *n*-dimensional Euclidean space so that the algorithm can be applied to any data satisfying this condition.

3. Framework

3.1 Polysemy in Context

The basic assumption of this work is the same as that of previous corpus-based approaches, namely, that semantically similar words appear in similar contexts³),5),10),11). Semantically similar verbs, for example, co-occur with

the same set of nouns. The following sentences from the Wall Street Journal corpus[†] show the point:

- (s1) The thrift holding company said it expects to <u>obtain</u> regulatory <u>approval</u> and complete the transaction by year-end.
- (s2) Simmons finally managed to get shareholder approval in December.
- (s3) Since 1967, Italy has required Italian companies to gain governmental approval before entering negotiations for arms-export sales.

It is intuitively obvious that <u>obtain</u>, <u>get</u>, and <u>gain</u> are semantically related and that the semantic similarity of these three verbs is manifested by the fact that they co-occur with the same noun approval.

We can imagine that a verb is located in an n-dimensional Euclidean space, each dimension of which is associated with a specific noun. Following Church⁵⁾, we assume that the i-th coordinate of the verb is the mutual information (which we call Mu) between the verb and the i-th noun, and not the co-occurrence frequency. Mu is based on mutual information in information theory^{7),16)}, and provides a better measure for characterising the semantic relationships between two words than mere co-occurrence frequencies⁶⁾ $\Leftrightarrow a$.

If the basic assumption is correct, then semantically similar verbs should be located closer together than other verbs, and it should therefore possible to use a clustering algorithm in order to discover semantic classes of verbs.

However, this straightforward method is often hampered by the existence of polysemous words. Consider the following sentence pairs, which show polysemous usages of <u>take</u>:

- (s4) In the past, however, coke has typically <u>taken</u> a minority <u>stake</u> in such ventures.
- (s4') Guber and Peters tried to buy a stake in MGM in 1988.
- (s5) That process of sorting out specifies is likely to <u>take time</u>.

^{*} The Wall Street Journal corpus was prepared by the ACL (Association for Computational Linguistics' Data Collection Initiative) in 1991.

 $^{^{\}dot{\alpha}\dot{\alpha}}$ Comparative experiments based on the co-occurrence frequency and on Mu are reported in Fukumoto⁸).

- (s5') We <u>spent</u> a lot of <u>time</u> and money in building our group of stations.
- (s6) People are queuing at the door to take his product but he doesn't have the working capital to make the thing.
- (s6') Goodyear used Atwood trade credits to <u>obtain</u> chemicals and other products and services in the U.S.

We can make the following observations:

- (1) <u>Take</u> and <u>buy</u> in (s4) and (s4'), <u>take</u> and <u>spend</u> in (s5) and (s5'), <u>take</u> and <u>obtain</u> in (s6) and (s6') co-occur with the noun <u>stake</u>, <u>time</u> and <u>product</u>, respectively, and the verbs of each of these pairs have almost the same sense.
- (2) While certain usages of <u>take</u> have senses similar to <u>buy</u>, <u>spend</u>, and <u>obtain</u>, these three specific verbs have distinct senses and we hardly see synonymy among these verbs.

Let us now consider a three-dimensional Euclidean space spanned by three axes associated with stake, time, and product. Take co-occurs with the three nouns and has high Mu values with them, while buy, spend and obtain have high Mu values only with one of the three nouns. Therefore, the distances between take and these three verbs are large, and the synonymy of take with them does not hold.

To capture the synonymy of <u>take</u> with the three verbs correctly, one has to decompose the vector assigned to <u>take</u> into three component vectors, each of which corresponds to one of the three distinct usages of <u>take</u>. The decomposition of a vector into a set of its component vectors requires a proper decomposition of the context in which the word occurs. **Figure 1** shows the decomposition of <u>take</u> in the three-dimensional spaces formed with <u>stake</u>, <u>time</u>, and <u>product</u>. **Take1**, **take2**, and **take3** are the respective component vectors and they collectively constitute the vector assigned to take.

For the sake of simplicity, we assumed in Fig. 1 that the three nouns characterise the contexts where the verb <u>take</u> occurs and, at the same time, each of them characterises a distinct usage of <u>take</u>. However, in a general situation, a polysemous verb co-occurs with a large set of nouns and one has to divide the set of nouns into subsets, each of which correctly characterises the context for a specific sense of the polysemous verb; that is to say, one of the mean-

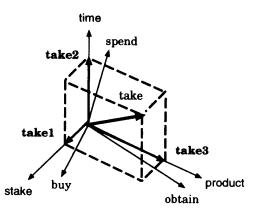


Fig. 1 Decomposition of the verb take.

ings of a polysemous verb can be characterised by a subset of nouns that co-occur with another semantically similar verb. Therefore, the algorithm has to be able to determine when and how the context of a word should be divided.

3.2 Overlapping Clustering

There are clustering algorithms, called overlapping clustering algorithms, which allow an entity to belong to more than one cluster. The B_k $(k = 1, 2, \cdots)$ method, proposed by Jardine and Sibson¹³⁾, is a typical overlapping clustering algorithm, in which a maximum of k-1 entities can belong to several different clusters. This algorithm, however, makes an entity belong to several clusters if there is no cluster set in which the clusters have more than k-1 entities in common. Whether an entity belongs to several clusters or not depends on the value of k. As a result, a verb belongs to several clusters even if it is not polysemous. Let {obtain,get} be a cluster which has already been created. Let {get,gain} and {obtain,get,gain} be candidates for a new cluster. In B_2 , a maximum 2-1=1entity can belong to several clusters if there is no set of clusters where the clusters have more than a 2-1 = 1 entity in common. In the example, there are no clusters which have a 2-1 = 1 entity in common, since only one cluster ({obtain,get}) has already been created. Therefore, the algorithm makes one entity ('get') belong to another cluster ({get,gain}). As a result, 'get' is judged to be polysemous. Furthermore, these overlapping clustering algorithms assume that an entity belonging to more than one cluster is still a single entity; that is, they do not include explicit splitting of the contexts which characterise the entities. In (s4)-(s6'), for example, even if 'take' is judged to have three meanings, 'buy', 'spend', and 'obtain', the algorithms do not split 'take' into three different classes, as shown in Fig. 1. An entity belongs to several clusters, because it can be seen from several different viewpoints. In different contexts, a single entity, such as 'take', can be used to mean 'buy something', as in (s4), and 'get hold of something', as in (s6).

As we have seen, polysemous verbs can be captured more naturally by seeing them as multiple entities which happen to take the same surface form. Take1, take2, and take3 are distinct entities (we call them hypothetical verbs in the following) with which different sets of nouns co-occur, and with which, therefore, different contexts are associated.

Our algorithm hence explicitly introduces new entities (i.e., hypothetical verbs), when an entity is judged polysemous, and associates them with contexts which are subcontexts of the context of the original entity. The algorithm has two basic operations, splitting and lumping. Splitting means dividing a polysemous verb into two hypothetical verbs, and lumping means combining two hypothetical verbs into a single verb.

3.3 Measuring the Deviation of a Set of Verbs

The algorithm should decide when a verb has to be split into two hypothetical verbs. The decision is based on the semantic deviation of a set of verbs. Semantic deviation is a measure of the deviation of the set in an n-dimensional Euclidean space, where n is the number of nouns which co-occur with the verbs. Given a set of verbs, $VG = \{v_1, \dots, v_m\}$, where m is the number of verbs in VG, the deviation of VG is defined as follows:

(1) Let $v_i \in VG$, and let the vector assigned to v_i be (v_{i1}, \dots, v_{in}) . Each v_{ij} $(1 \leq j \leq n)$ is computed by the following formula:

$$v_{ij} = \begin{cases} Mu(v_i, n_j) & \text{if } Mu(v_i, n_j) \ge \alpha \\ 0 & \text{otherwise} \end{cases}$$
 (1

Here, $Mu(v_i, n_j) = \log \frac{P(v_i, n_j)}{P(v_i)P(n_j)}$, where $P(v_i)$ and $P(n_j)$ are the probabilities of the events v_i and n_j , $P(v_i, n_j)$ is the probability that the two events are observed at the same time, and α is a threshold value given in advance.

(2) The deviation $dev_{temp}(VG)$ is defined as:

$$dev_{temp}(VG) = \sqrt{\sum_{i=1}^{m} \sum_{j=1}^{n} (v_{ij} - \bar{g_j})^2}$$
 (2)

Here, $\bar{g}_j = \frac{1}{m} \sum_{i=1}^m v_{ij}$ is the j-th value of the centre of gravity.

(3) Let us consider two sets, A and B, which have the same degree of deviation. Let $|\bar{g}| = \frac{1}{m} \sqrt{\sum_{j=1}^{n} (\sum_{i}^{m} v_{ij})^2}$ be the length of the centre of gravity. If $|\bar{g}|$ of A is larger than that of B, the absolute value of Mu calculated for A is larger than that of B. This means that the absolute probabilities of the co-occurrences of each noun and the verbs in A are larger than those of B. As a result, A should be judged to be semantically less deviant than B. Then, $dev_{temp}(VG)$ is normalised as:

$$dev_{norm}(VG) = \frac{1}{|\bar{g}|} \sqrt{\sum_{i=1}^{m} \sum_{j=1}^{n} (v_{ij} - \bar{g_j})^2}$$
(3)

(4) dev_{norm} shows that a set of a greater number of verbs tends to be semantically more deviant than a set of a smaller number of verbs. We further normalise the deviation (3) to compensate for this effect, as follows:

$$Dev(VG) = \frac{1}{|\bar{g}| (\beta * m + \gamma)} \sqrt{\sum_{i=1}^{m} \sum_{j=1}^{n} (v_{ij} - \bar{g_j})^2}$$
(4)

 β and γ are obtained by least square estimation as regards $dev_{norm}(VG) = \beta m + \gamma$. For instance, using the Wall Street Journal corpus, and setting α in (1) equal to 3.0, we obtain $\beta = 0.964$ and $\gamma = -0.495$.

In the following, a set with a smaller value of (4) is considered semantically less deviant.

3.4 Clustering Method

In this section, we present our clustering algorithm. We first explain the operations *splitting* and *lumping*. Then, we show the flow of the algorithm and explain how the whole algorithm works.

3.4.1 The Basic Idea

As stated in Section 3.1, a polysemous word behaves like a set of different words; that is to say, different word senses behave as if they were distinct words, and co-occur with different sets of words. Therefore, clusters of verbs will be less deviant when polysemous verbs are treated as multiple hypothetical verbs belonging to different clusters. Our method is thus an overlapping clustering method which explicitly exploits this feature of polysemy. The es-

sential difference between our algorithm and the B_k method is that our algorithm explicitly introduces a condition on which a verb is judged polysemous. Furthermore, it introduces hypothetical verbs to determine whether a verb should be split and associated with several clusters. For example, to determine whether 'take' has two senses 'buy' and 'spend', our algorithm splits 'take' into two hypothetical verbs, take1 and take2, which are distinct entities associated with different contexts.

3.4.2 Splitting and Lumping

Let v and w_p be verbs and w_1, \dots, w_n be verbs or hypothetical verbs. Suppose $Dev(v,w_i) \leq Dev(v,w_j)$ $(1 \leq i \leq j \leq n)$ and $Dev(v,w_1) \leq Dev(v,w_p)$. In our method, in order to determine whether v has two senses clustered with w_1 and w_p , we tentatively make two clusters by splitting, as shown in (5), and a merged cluster by lumping, as shown in (6), and compare the semantic deviation among the three resulting clusters.

$$\{v_1, w_p\}, \{v_2, w_1, \cdots, w_n\}$$
 (5)
 $\{v, w_1, \cdots, w_p, \cdots, w_n\}$ (6)
 $w_1, \cdots, w_p, \cdots, w_n$ in (6) satisfy $Dev(v, w_i) \leq Dev(v, w_j)$ (1 $\leq i \leq j \leq n$). v_1 and v_2 in (5)
are new hypothetical verbs which correspond
to two distinct senses of the same verb v . For
example, in order to determine whether 'take'
has two senses 'buy' and 'spend', we make two
clusters $\{take1, buy\}, \{take2, spend\}$ by split-
ting, and a merged cluster $\{take, buy, spend\}$
by lumping, and compare the semantic devia-
tion among the three resulting clusters.

In our current implementation, if the semantic deviation of each cluster in (5) is smaller than that of the cluster in (6), v is regarded as polysemous. Splitting and lumping operations are defined as follows:

(1) The function *split* applies to v, w_1 , and w_p , and returns the hypothetical verbs v_1 and v_2 of the verb v^* .

$$split(v, w_p, w_1) = (v_1, v_2)$$
 where (7)

$$Dev(v, w_1) \le Dev(v, w_p) \tag{8}$$

$$v_{1} = \begin{bmatrix} v_{11} \\ v_{12} \\ \vdots \\ v_{1n} \end{bmatrix} \text{s.t.}$$

$$\begin{cases} v_{i} & \text{if } w_{ni} \neq 0 \end{cases} \tag{9}$$

$$v_{1j} = \begin{cases} v_j & \text{if } w_{pj} \neq 0 \\ 0 & \text{otherwise} \end{cases}$$
 (9)

$$v_2 = \left[egin{array}{c} v_{21} \ v_{22} \ \vdots \ v_{2n} \end{array}
ight] ext{s.t.}$$
 $v_{2j} = \left\{ egin{array}{c} v_j & ext{if } (w_{1j}
eq 0 ext{ or } \ w_{pj} = w_{1j} = 0) \ 0 & ext{otherwise} \end{array}
ight. \ ext{(10)}$ otherwise $t_{2j} = 0$ or $t_{2j} = 0$ otherwise $t_{2j} = 0$ otherwise $t_{2j} = 0$ or $t_{2j} =$

Note that if n_j co-occurs with v and also with both w_p and w_1 , v_{1j} and v_{2j} are both $v_j = Mu(v, n_j)$ as shown in (9) and (10). Furthermore, if n_j co-occurs with v, but with neither w_1 nor w_p , v_j is assigned to v_{2j} as shown in (10). If v_j is included in neither v_1 nor v_2 , $\{v_2, w_1\}$ will be less deviant than $\{v_1, w_p\}$. Then, in order to make v_1 and v_2 as equally deviant as possible, v_j is set to v_{2j} .

(2) The function lump has the opposite effect of split. That is, it merges two hypothetical verbs w_1 and w_2 into one verb w_p , as follows:

$$lump(w_{1}, w_{2}) = w_{p}$$

$$w_{p} = \begin{bmatrix} w_{p1} \\ w_{p2} \\ \vdots \\ w_{pn} \end{bmatrix}$$
 s.t.
$$w_{pj} = \begin{cases} w_{1j} + w_{2j} & \text{if } w_{1j} \neq w_{2j} \\ w_{1j} & \text{if } w_{1j} = w_{2j} \end{cases}$$

3.4.3 The Flow of the Algorithm

Given a set of verbs, $VG = \{v_1, \dots, v_m\}$, the algorithm produces a set of semantic clusters, which are sorted in ascending order of their semantic deviation. If v_i is non-polysemous, it belongs to exactly one of the resultant semantic clusters. If it is polysemous, the algorithm splits it into several hypothetical verbs, each of which belongs to exactly one semantic cluster. Figure 2 shows the flow of the algorithm. As shown in '(' in Fig. 2, the function Make-Initial-Cluster-Set applies to VG and produces all possible pairs of verbs with their semantic deviation values. The result is a list of pairs called the ICS (Initial Cluster Set). The CCS (Created Cluster Set) shows the clusters which have been created so far. The function Make-Temporary-Cluster-Set retrieves the clusters from the CCS which contain one of the verbs of Set_i . The results (Set_{β}) are passed to the function Recognition-of-Polysemy, which determines whether or not a verb is polysemous. Let v be an element included in both Set_i and Set_{β} . To determine whether v has two senses w_p , where w_p is an element of Set_i , and w_1 ,

 $^{^{\}star}$ The vector assigned to v is (v_1, \dots, v_n) .

```
begin
     ICS := Make-Initial-Cluster-Set(VG)
           VG = \{v_i \mid i = 1, \cdots, m\}
           ICS = \{Set_1, \cdots, Set_{m(m-1)}\}\
           where Set_p = \{v_i, v_j\} and Set_q = \{v_k, v_l\} \in ICS \ (1 \leq p < q \leq m)
           satisfy Dev(v_i, v_j) \leq Dev(v_k, v_l)
     for i:=1 to \frac{m(m-1)}{2} do
           if CCS = \phi
                     then Set_{\gamma} := Set_i
                                 i.e. Set; is stored in CCS as a newly obtained cluster
           else if Set_{\alpha} \in CCS exists such that Set_i \subset Set_{\alpha}
                     then Set_i is removed from ICS and Set_{\gamma} := \phi
           else if
                     for all Set_{\alpha} \in CCS do
                           if Set_i \cap Set_\alpha = \phi
                                then Set_{\gamma} := Set_i
                                            i.e. Set; is stored in CCS as a newly obtained cluster
                           end_if
           \mathsf{else} \ \mathit{Set}_{\beta} := \mathsf{Make\text{-}Temporary\text{-}Cluster\text{-}Set}(\mathit{Set}_i, \mathsf{CCS})
                  ( Set_{\beta} := Set_{\alpha} \in CCS such that Set_i \cap Set_{\alpha} \neq \phi
                      Set_{\gamma} := Recognition-of-Polysemy(Set_i, Set_{\beta})
           end_if
           end_if
           end_if
           if Set_{\gamma} = VG
                then exit from the for_loop;
           end_if
     end for
end
```

Fig. 2 Flow of the algorithm.

where w_1 is an element of Set_{β} , we make two clusters, as shown in (5), and their merged cluster, as shown in (6). The splitting function (7) is applied to v, w_1 , and w_p to produce newly hypothetical verbs v_1 and v_2 . If hypothetical verbs w_1 and w_2 exist in the process of making the cluster shown in (6), the lumping function (11) is applied to w_1 and w_2 , and makes one verb w_p out of them.

The whole process is repeated until the newly obtained cluster, Set_{γ} , contains all the verbs in the input or the ICS is exhausted.

4. Experiment

In this section, we report the results of two experiments: Hypothetical-Verb-Exp, where the clustering algorithm introduces a hypothetical verb, and Not-Hypothetical-Verb-Exp, where this is not the case.

Let us recall that in order to determine whether v has two senses clustered with w_1 and w_p , we tentatively make two clusters by splitting, as shown in (5), and a merged cluster by lumping, as shown in (6). In Not-Hypothetical-Verb-Exp, we merely replace the hypothetical verbs v_1 and v_2 in (5) with v.

4.1 Data

The corpus we have used is the Wall Street Journal which consists of 182,992 sentences, 2,878,688 occurrences of part-of-speech tagged words and 73,225 different words⁴). From this corpus, we obtained 5,940,193 word pairs in a window size of 5 words, 2,743,974 different word pairs. A pair of x and y in a window size of 5 words means that x is followed by y within a five-word distance.

We used verb-noun pairs; that is to say, we assumed an n-dimensional Euclidean space, in which a verb is assigned a vector whose value of the i-th dimension is the value of Mu between the verb and the noun assigned to the ith axis. This is because in small window sizes, the semantic relationship between two words might be quite strong, especially between a verb and its object, permitting the effective recognition of verbal polysemy. Inflected forms of the same word, such as 'time' (noun, singular) and 'times' (noun, plural), were treated as a single unit. From 2,743,974 superficially different pairs, we thus obtained 228,665 different verbnoun pairs, and from these, we selected 6,768 different verb-noun pairs, 701 different verbs, and 1,796 nouns. To obtain a reliable statisti-

Table 1 'Type1' verb sets and the results of experiments.

[1-1]	close open end
[1-2]	take obtain spend buy
[1-3]	<u>lose</u> win miss
[1-4]	get gain receive
[1-5]	open close end buy sell
[1-6]	open close end buy solve
[1-7]	close open end take spend buy obtain cancel solve ride
[1-8]	see realize open close end
[1-9]	see look know
[1-10]	come go become
[1-11]	<u>find</u> receive see
[1-12]	get gain become
[1-13]	leave retire remain borrow lend
[1-14]	grow happen increase

Type1	Hypothetical-Verb-Exp			Not-Hypothetical-Verb-Exp		
	Results	Correct (%)	Incorrect (%)	Results	Correct (%)	Incorrect (%)
[1-1]	0			a		
[1-2]	0			a		
[1-3]	0			a		
[1-4]	0			a		
[1-5]	0	9(64.2)	5(35.8)	a	0(0)	14(100)
[1-6]	0			a		
[1-7]	0			a		
[1-8]	ь			a		
[1-9]	a&b			a		
[1-10]	a&b	•		a&b		
[1-11]	a&b			a		
[1-12]	0			a		
[1-13]	a			a		
[1-14]	0			a		

____': Polysemous verb.

pel': Set of verbs that containing one or more polysemous verbs.

'o': Set of verbs that could be clustered correctly.

'a': Recognition of polysemous verbs as non-polysemous ones.

'b': Recognition of non-polysemous verbs as polysemous ones.

cal analysis,* we selected only those words and word pairs whose frequencies and Mu were not low $(f(x,y) \ge 5 \text{ and } Mu(x,y) > 3)$.

The verbs used in the experiments consisted of 26 sets. We classified these sets into two different types, 'typel' and 'type2'. Verb sets of the first type contained one or more polysemous verbs, and were used to determine whether our algorithm could recognise polysemous verb correctly. Verb sets of the second type did not contain any polysemous verbs, and were used to determine whether our algorithm was also effective for such sets. 'Type1' and 'type2' verb sets are shown in Tables 1 and 2, respectively. In Table 1, polysemous verbs in the sets are underlined.

We selected polysemous verbs whose frequencies in the corpus are high, and then selected subcategorisation patterns⁹⁾ of the chosen polysemous verbs according to the Collins dictionary and thesaurus¹⁴⁾.

4.2 Results

The results are shown in Tables 1 and 2. In Tables 1 and 2, the symbol 'o' in the 'results' column means that the set of verbs was clustered correctly, while 'a' and 'b' denote two error types: 'a' refers to the recognition of polysemous verbs as non-polysemous ones and 'b' to the recognition of non-polysemous verbs as polysemous ones**. The column 'correct' shows the number of sets of verbs which are clustered correctly, while 'incorrect' shows the number of

 $^{^{\}frac{1}{2}}$ The values of $f(x,y) \geq 5$ and $Mu(x,y) \geq 3$ are empirically determined.

 $^{^{\}dot{\alpha}\dot{\alpha}}$ 'a & b' denotes the co-occurrence of 'a' and 'b' error types.

[2-12]

Table 2 'Type2' verb sets and the results of experiments.

	**
[2-1]	increase reduce buy come begin
[2-2]	acquire own finance fund
[2-3]	gather gain offer accept
[2-4]	borrow lend limit reduce
2-5	oppose reject offer provide increase reduce
[2-6]	close end finish
[2-7]	reject accept receive
[2-8]	act behave find get
[2-9]	feel look cut keep arrive leave
[2-10]	sound feel seem come go
2-11	open close offer provide

look see offer provide

Type2	Hypothetical-Verb-Exp			Not-Hypothetical-Verb-Exp		
	Results	Correct (%)	Incorrect (%)	Results	Correct (%)	incorrect(%)
[2-1]	0			0		
[2-2]	0			0		
[2-3]	0			0		
[2-4]	0			0		
[2-5]	0			0		
[2-6]	b	9(75.0)	3(25.0)	b	11(91.7)	1(8.3)
2-7	0			0		
[2-8]	0			0		
[2-9]	b			0		
[2-10]	b			0		
[2-11]	. 0			0		
[2-12]	0			0		

'type2': Set of verbs that do not containing any polysemous verbs.

'o': Set of verbs that could be clustered correctly.

'a': Recognition of polysemous verbs as non-polysemous ones.

'b': Recognition of non-polysemous verbs as polysemous ones.

those that are not. The correctness of the results was judged by a native speaker.

4.3 Discussion

4.3.1 Effectiveness of the Method

In Tables 1 and 2, the total results of Hypothetical-Verb-Exp show that 18 (9 for each table) out of 26 clusters of verbs were obtained correctly, and the percentage attained was 69.2%. On the other hand, the results of Not-Hypothetical-Verb-Exp show that only 11 (0 for Table 1 and 11 for Table 2) out of 26 clusters were obtained. Comparison of the total ratios of correct judgements made in these two experiments shows that the ratio of the correct results in Hypothetical-Verb-Exp (1,800/26) = 69.2%) was significantly higher than that in Not-Hypothetical-Verb-Exp (1,100/26 = 42.3%). Furthermore, in Table 1, the results of Not-Hypothetical-Verb-Exp show that no verbs were recognised correctly as polysemous. demonstrates the effectiveness of our clustering method, which explicitly introduces a hypothetical verb. Let v be a polysemous verb, and let x and y be subcategorisation patterns of v. Further, let $Dev(v, x) \leq Dev(v, y)$. Examining

the fact that no verbs were recognised correctly as polysemous in Not-Hypothetical-Verb-Exp, we found that all of the polysemous verbs in 14 sets satisfied $Dev(v,x) \leq Dev(v,x,y) \leq Dev(v,y)$, while polysemous verbs in 9 out of 14 sets which were recognised correctly in Hypothetical-Verb-Exp satisfied $Dev(v_1, x) \leq Dev(v_2, y) \leq$ Dev(v, x, y). Comparison of the value of the difference between Dev(v, x, y) and Dev(v, y)with that of the difference between Dev(v, x, y)and $Dev(v_2, y)$ for the polysemous verbs in these 9 sets show that the former was quite small for 3 of the 9 sets. For example, in [1-1], the former was 0.010, while the latter was 0.107. In the experiments, we selected polysemous verbs which had high frequencies and whose subcategorisation patterns were clearly distinct from each other. This seems to result in a high level of correctness. To guarantee the reliability of our algorithm, we will conduct further experiments using other polysemous verbs.

Figure 3 shows samples of the results of Hypothetical-Verb-Exp. Each cluster formation is annotated by the semantic deviation. The X-axis represents the semantic deviation.

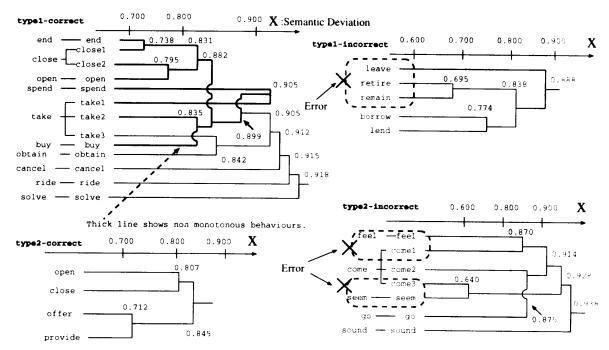


Fig. 3 Results of the clustering analysis.

In type1-correct, we can see that 'take' is recognised as polysemous and has three different subcategorisation patterns, which are the same as those of 'spend', 'buy', and 'obtain'. In a similar way, 'close' has two different subcategorisation patterns, 'end' and 'open'. In both type1-correct and type2-correct, the same subcategorisation patterns are grouped together.

We note that type1-incorrect, type2correct, and type2-incorrect are monotonous clusters; that is to say, the degree of semantic deviation of larger clusters is larger than those of smaller clusters. On the other hand, type1-correct shows non-monotonous behaviour. In type1-correct, the larger cluster, which consists of eight verbs ('end', 'close1', 'close2', 'open', 'spend', 'take1', 'take2', and 'buy') has a smaller value (0.899) than the smaller cluster of 'spend' and 'take1' (0.905). The non-monotonous phenomenon is one of the characteristics of the centroid method to which our proposed method belongs; that is, the semantic deviation in a cluster is basically obtained by adding each verb's deviation from the centre of gravity¹²⁾.

4.3.2 Problem of the Method

In Fig. 3, 'leave' and 'come' are incorrectly recognised as non-polysemous in type1-incorrect and as polysemous in type2-incorrect, respectively.

For example, in the corpus, 'leave' has at least two different subcategorisation patterns, 'retire' and 'remain':

- (s6') About 12 % have <u>retired</u> from a full-time job.
- (s7) They can even <u>leave</u> a sticky <u>problem</u>, in the form of higher brokerage commissions.
- (s7') ... but <u>remain</u> a serious problem.

However, **type1-incorrect** in Figure 3 shows that 'leave' is incorrectly recognised as a non-polysemous verb.

Table 3 shows the ICS of {leave, retire, remain, borrow, lend}.

The value in Table 3 shows the semantic deviation of the cluster. The semantic deviation of {retire, remain} is smaller than that of any other word pair, and the number of nouns which co-occur with 'retire' and 'remain' is larger than that for any other pairs of words. As a result, 'retire' and 'remain' are grouped together.

One possible cause of the above result is that the threshold values for frequencies and Mu are

^{* &#}x27;Close' has at least two different subcategorisation patterns, which are the same as those of 'end' and 'shut'. However, as 'shut' has a low frequency in the corpus, we selected the opposite sense of 'shut', 'open', and applied this to our clustering algorithm.

Table 3 ICS of {leave, retire, remain, borrow, lend}.

Set_1	=	{retire, remain}	0.695	Set_2	=	{borrow, lend}	0.774
Set ₃	=	{remain, borrow}	0.911	Set_4	=	{leave, remain}	0.966
Set ₅	=	{leave, borrow}	0.987	Set_6	=	{retire, borrow}	0.987
Set 7	=	{retire, lend}	0.987	Set_8	=	{leave, retire}	0.987
		{leave, lend}	0.987	Set_{10}	=	{remain, lend}	0.987

not appropriate. We required that the frequencies and Mu should not be low $(f(x,y) \geq 5$ and $Mu(x,y) \geq 3)$ to guarantee the reliability of statistical analysis, but it is not clear whether these thresholds are appropriate for yielding the best performance in an n-dimensional space.

Another possible cause is that the use of verbobject pairs alone is not appropriate. For example, in Table 2, [2-9] and [2-10] could not be clustered correctly in Hypothetical-Verb-Exp, and the results for Hypothetical-Verb-Exp were worse than those for Not-Hypothetical-Verb-Exp. Examination of the verbs belonging to [2-9] and [2-10] shows that stative verbs such as 'feel', 'sound', and 'seem' and action verbs such as 'arrive' and 'go' are included in these sets. Most adverbs of manner naturally refer to action verbs and not to stative verbs1). This shows that action verbs are modified by manner adverbs. We can therefore expect that adverbial adjuncts will be relevant to the correct distinction between these stative verbs and action verbs. We will conduct more experiments to confirm this.

5. Conclusion

We have defined polysemy from the viewpoint of clustering, and proposed an overlapping clustering method which automatically recognises verbal polysemies from a textual corpus. The results of the experiments demonstrate the effectiveness of our method for automatic recognition of polysemy. We will conduct further experiments to investigate issues related to accuracy and to apply this work to practical tasks such as word-sense disambiguation.

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