

PREVENTION OF IMPLICIT DEADLOCK
BY OBJECT REALLOCATION

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1. INTRODUCTION

Most database systems and distributed database systems have adopted locking schemes as the synchronization method of interleaved and concurrent executions of transactions. Problem is how to resolve deadlock. In the conventional systems, a deadlock manager detects a deadlock by constructing a wait-for graph and finding a directed cycle in the wait-for graph. The deadlock is resolved by aborting a process in the deadlock cycle. If the objects held by the selected process are arbitrarily allocated to the other process, another deadlock may occur since the other process which has waited on object. We say such deadlock which is caused by aborting the selected process an implicit deadlock. In this paper, we discuss not only how to detect the deadlock and select a process in a deadlock cycle but also how to allocate the objects held by the selected process to the processes which waited on them so as not to cause the implicit deadlock.

2. DEADLOCK

Suppose that the system has a deadlock manager which grasps the systems state, detects a deadlock, and then resolves it. In this paper, we assume that the deadlock manager can obtain a consistent system state by some mechanism presented in [KNAP87]. A wait-for graph for the state S is defined as follows.

[Def.] A wait-for graph G_s for a system state S is a directed graph (V_s, E_s) where

(1) V_s is a set of nodes each of which denotes a process in the system, i.e. $V_s = \{P_1, \dots, P_n\}$, and

(2) E_s is a set of directed edges, which includes a directed edge $P_j \rightarrow_x P_k$ for every two different processes P_j and P_k in V_s if P_j waits on an object x held by P_k in S. \square

For a process P, let $Obj(G,P)$ be a set of objects which P holds. In the one-resource model and AND model [KNAP87], a consistent system state S is deadlocked if and only if (iff) the wait-for graph G_s for S contains a directed cycle.

[Def.] Let G_s be a wait-for graph (V_s, E_s) for a system state S. Let P and Q be a process in G_s . P is said to depend on Q (or Q is reachable from P) in G_s (written as $P \Rightarrow_{G_s} Q$) iff

(1) for every object x in $Obj(G_s, Q)$, $P \rightarrow_x Q$ in G_s , or

(2) there exists some process R in V_s such that $P \Rightarrow_{G_s} R$ and $R \Rightarrow_{G_s} Q$. \square

$P \rightarrow Q$ means that a process P depends on Q for some object in G_s .

[Def.] For a wait-for graph G_s , a process P is said to be deadlocked in S iff P depends on itself or depends on some deadlocked process in G_s . P is said to directly deadlocked iff P depends on itself, i.e. $P \Rightarrow_{G_s} P$. \square

Directly deadlocked processes are processes which are included in some deadlock cycle. Deadlocked processes which are not directly deadlocked are said to be indirectly deadlocked.

3. IMPLICIT DEADLOCK

In this paper, we consider the AND model [KNAP87] where processes can request more than one object and block until all of them are obtained. Let P_j and P_k be processes, and x be an object in the system. Let S be a consistent system state and G_s be a wait-for graph of S. Suppose that S is deadlocked. Since the deadlock manager is assumed to be able to obtain S, it constructs a wait-for graph G_s for S.

$Wait(G_s, P, x)$ = a set of processes which wait on an object x held by P_j .

$WaitP(G_s, P_j)$ = a set of processes which wait for the objects held by P_j .

$DLP(G_s)$ = a set of directly deadlocked processes in G_s .

$LP(G_s)$ = a set of deadlocked processes in G_s

[Def.] Suppose that a system state S is changed to T by aborting a process P and allocating the objects. Let G_s and G_t be wait-for graphs for S and T, respectively. Let $ILP(G_s, P)$ be a set $LP(G_t) - LP(G_s - \{P\})$. Processes in $ILP(G_s, P)$ are said to be implicitly deadlocked. \square

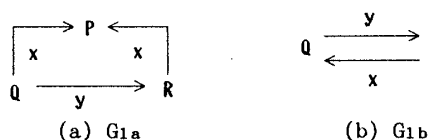


Fig.1 Wait-for Graph

Let us consider a wait-for graph G_{1a} in Fig.1(a). Suppose that a process P is directly deadlocked. When P is selected and aborted by the deadlock manager, a object x held by P is released and is allocated to a process which has waited on it. If x is allocated to Q, a new deadlock cycle, i.e. $Q \rightarrow R \rightarrow Q$ appears as shown in Fig.1(b). $ILP(G_{1a}, P) = LP(G_{1b}) - LP(G_{1a} - \{P\}) = \{Q, R\}$. Processes Q and R in

$ILP(G_{1a}, P)$ are implicitly deadlocked.

Processes in $ILP(G_s, P)$ are processes which are still deadlocked after the abortion of P . However, the deadlock manager considers them not to be deadlocked. In this paper, we would like to present a deadlock resolution method to prevent implicit deadlocks from occurring.

[Déf.] Let P be a deadlocked process in a wait-for graph G_s . Let $RLP(G_s, P)$ be a set $LP(G_s) - LP(G_s - \{P\}) - \{P\}$. Let $ULP(G_s, P)$ be a set $LP(G_s - \{P\})$. Processes in $RLP(G_s)$ are said to be ones which are resolvably deadlocked for P in G_s . Processes in $ULP(G_s, P)$ are said to be ones which are unresolvably deadlocked for P in G_s . \square

A family $\{ULP(G_s, P), RLP(G_s, P), \{P\}\}$ is a partition of $LP(G_s)$, i.e. $LP(G_s) = ULP(G_s, P) \cup RLP(G_s, P) \cup \{P\}$ and they are pairwise disjoint [Fig.2].

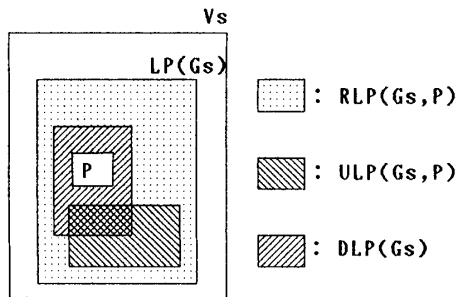


Fig.2 Relationships among deadlock states

There are two kinds of implicit deadlocks, i.e. directly and indirectly implicit deadlocks.

[Def.] Suppose that a system state is changed from S to T by aborting a process P . Let G_s and G_t be wait-for graphs for system states S and T , respectively. If there exists a deadlock cycle C_t in G_t which includes only processes in $WaitP(G_s, P)$ and at least one process in C_t is not in $ULP(G_s, P)$, then processes in C_t are said to be directly implicitly deadlocked in G_t . Implicitly deadlocked processes in G_t which are not directly implicitly deadlocked are said to be indirectly implicitly deadlocked processes. \square

[Def.] Let P be a process and x be an object held by P in a wait-for graph G_s , i.e. $x \in Obj(G_s, P)$. Let G' be $G_s - \{P\}$. A process $Q \in Wait(G_s, P, x)$ is said to be a candidate of x in G_s iff Q is not deadlocked in a wait-for graph G' , i.e. Q is not in $LP(G')$, and Q does not depend on any processes in $WaitP(G_s, P)$ in G' . \square

Let $Cand(G_s, P, x)$ be a set of processes which are candidates of x for a process P in G_s . For every object x held by a process, if there exists a candidate of x , we can prevent any indirectly implicit deadlock from occurring by allocating x to its candidate and aborting the process. However, for some object x , unless there exists a candidate of x , deadlocks still

exist after the process is aborted.

[Prop. 3.1] For every object x held by a process P in a wait-for graph G_s , if there is no candidate of x for P , every process in $Wait(G_s, P, x)$ is unresolvably deadlocked, i.e. in $ULP(G_s, P)$.

[Proof] From the definition of the candidate process of x for P , if there is no candidate of x , every process in $Wait(G_s, P, x)$ depends on a process in $Wait(G', P, x)$ or in $DLP(G_s)$ in a wait-for graph $G' = G_s - \{P\}$. Therefore, even if P is aborted, processes in $Wait(G_s, P, x)$ are still deadlocked. \blacksquare

4. SELECTION AND ALLOCATION ALGORITHM

As stated before, assume that a global consistent state is already held by the deadlock manager. We show our algorithm for selecting a process and allocating objects obtained by the selected process to the other processes which have waited for them.

[Selection and Allocation Algorithm (SAA)]

- (1) Let G_s be a wait-for graph for a consistent system state S .
- (2) If $LP(G_s) = \emptyset$, i.e. no deadlock cycle in G_s , then the SAA terminates.
- (3) [Deadlock exists, i.e. $LP(G_s) \neq \emptyset$] Select a process P in $DLP(G_s)$, i.e. directly deadlocked process.
- (4) For every object x in $Obj(G_s, P)$,
 - (4-1) if there exists a candidate process of x for P , i.e. $Cand(G_s, P, x) \neq \emptyset$, select a candidate process Q in $Cand(G_s, P, x)$,
 - (4-2) else [There is no candidate of x] select a process Q in $Wait(G_s, P, x)$,
 - (4-3) allocate x to Q , and $G_s := G_s + \{ U \rightarrow x Q \ ; \ U \in (Wait(G_s, P, x) - \{Q\}) \} - \{ U \rightarrow x P \ ; \ U \in Wait(G_s, P, x) \}$.
- (5) Abort P and $G_s := G_s - \{P\}$. Go to (2). \square

[Theorem] Our SAA algorithm never causes implicit deadlock. \blacksquare

5. CONCLUDING REMARKS

In this paper, we have presented how to prevent implicit deadlock implied by aborting the selected process. By allocating the objects held by the selected process to the candidate processes which wait for the objects, the implicit deadlock is prevented by our algorithm.

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